



Machine Learning: Introduction

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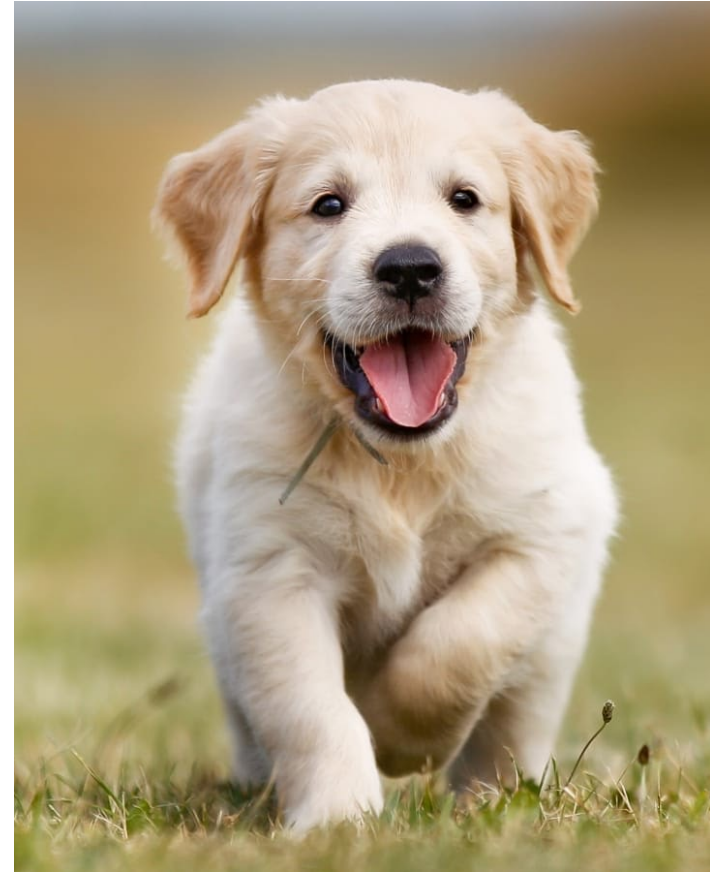
Day 3



- How to learn from data?
- Supervised learning (Linear regression)
- Generalization (over fitting, regularization, cross validation)
- Machine learning life cycle
- Practical concepts (data normalization, rescaling outliers, robustness)



How are you feeling this morning?



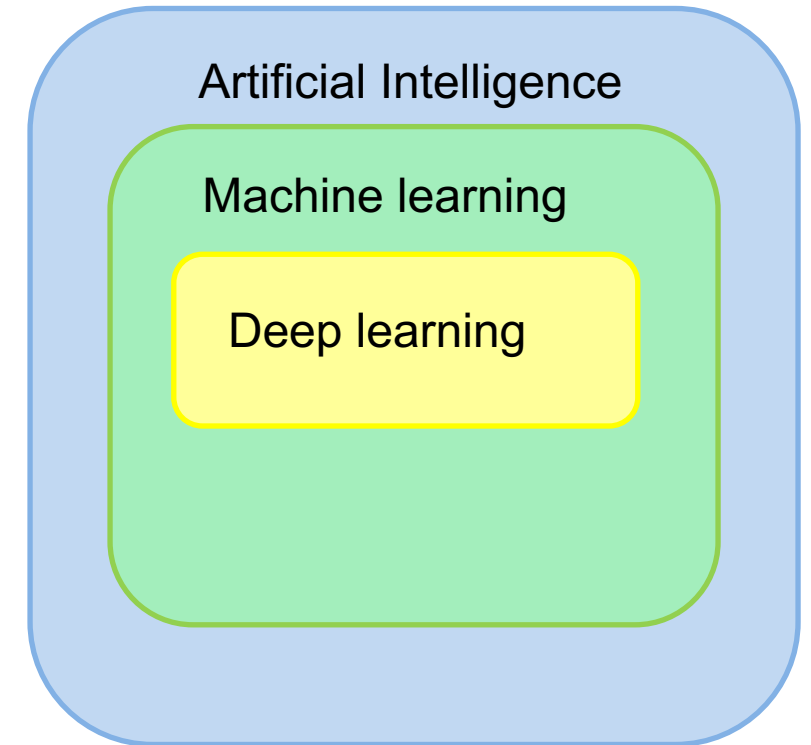


Traditional Programming vs Machine Learning





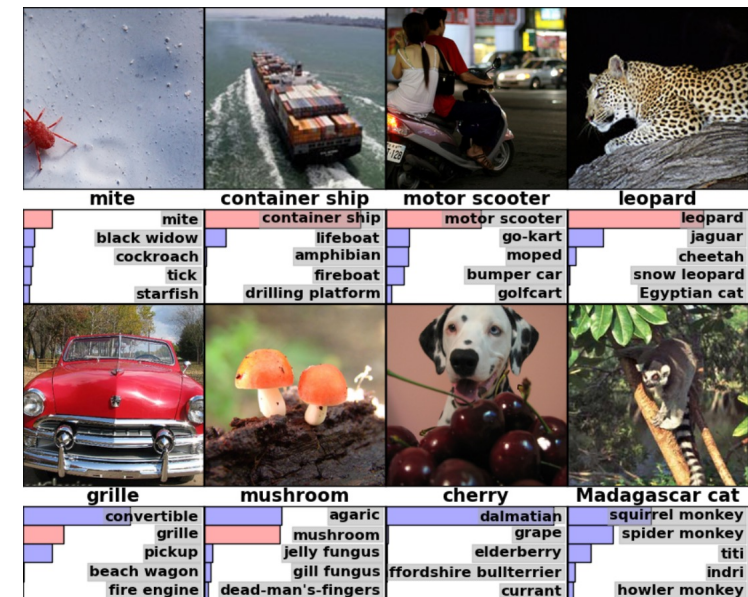
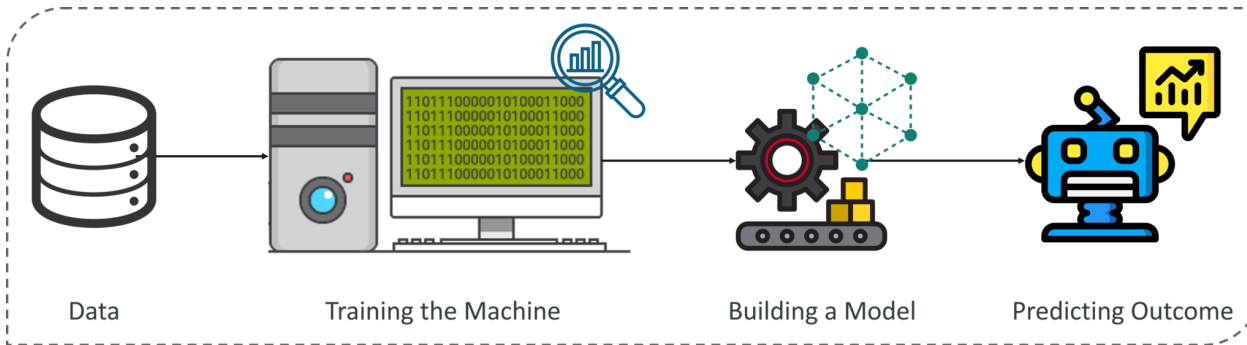
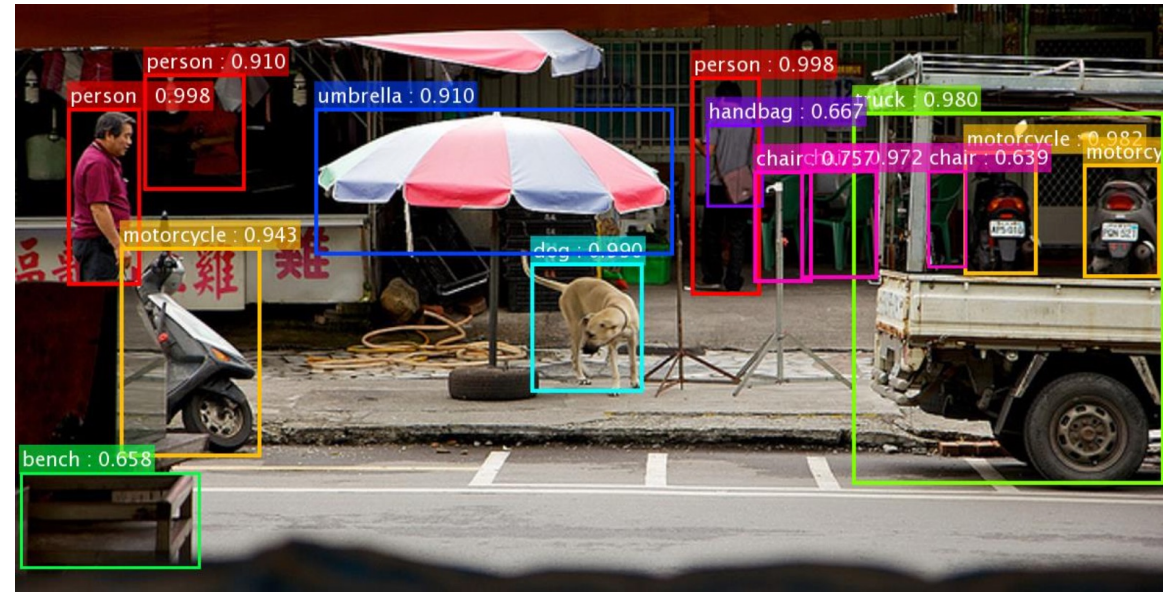
- **Artificial Intelligence (AI)** – mimicking the intelligence or behavioral pattern of humans or living entity.
- **Machine Learning (ML)** – computers “learn” from representations to complete specific tasks without being explicitly programmed.
- **Deep Learning (DL)** – ML inspired by our brain’s own neural network to learn hierarchical representations.





What is Machine Learning?

- Study of an algorithm that is able to *learn* from data.
- A cross-road of statistics (probability) and computer science (algorithms) where learning is casted to an optimization process.



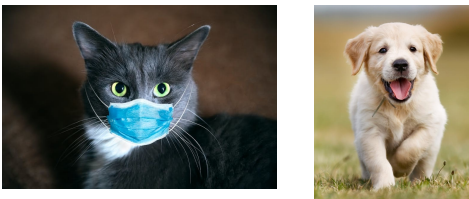


How to learn from data?

Supervised

Given data X and label Y & assume an underlying function $f(X)=Y$, learn an approximate function that mimics f .

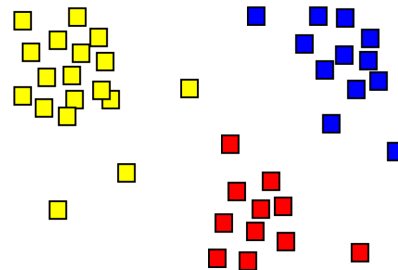
Classification



Unsupervised

Given data X only, learn underlying structure.

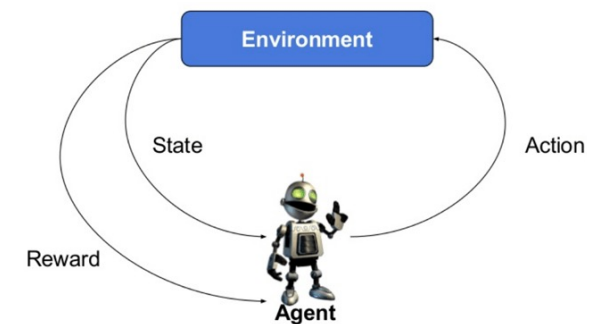
Clustering



Reinforcement

Learn to gain most cumulative reward by interacting with the environment. Data may not be static.

Facility control





Supervised

Task: Predict patient readmission rate.

Data: patients' treatment regime.
Labels: readmissions.

ML model: Build a model that correlates treatment regime with readmissions.

Unsupervised

Task: Categorize MRI data to normal or abnormal.

Data: MRI images.

ML model: Build a model that learns features of images to recognize different patterns (normal/abnormal).

Reinforcement

Task: Allocate scarce medical resources to handle various ER cases.

Data: treatment types, ER cases.

ML model: Build a model that learns treatment strategies for current ER cases.



- How to learn from data?
- **Supervised learning** (Linear regression)
- Generalization (Over fitting, Regularization, Cross validation)
- Machine learning life cycle
- Practical concepts (data normalization, rescaling outliers, Robustness)



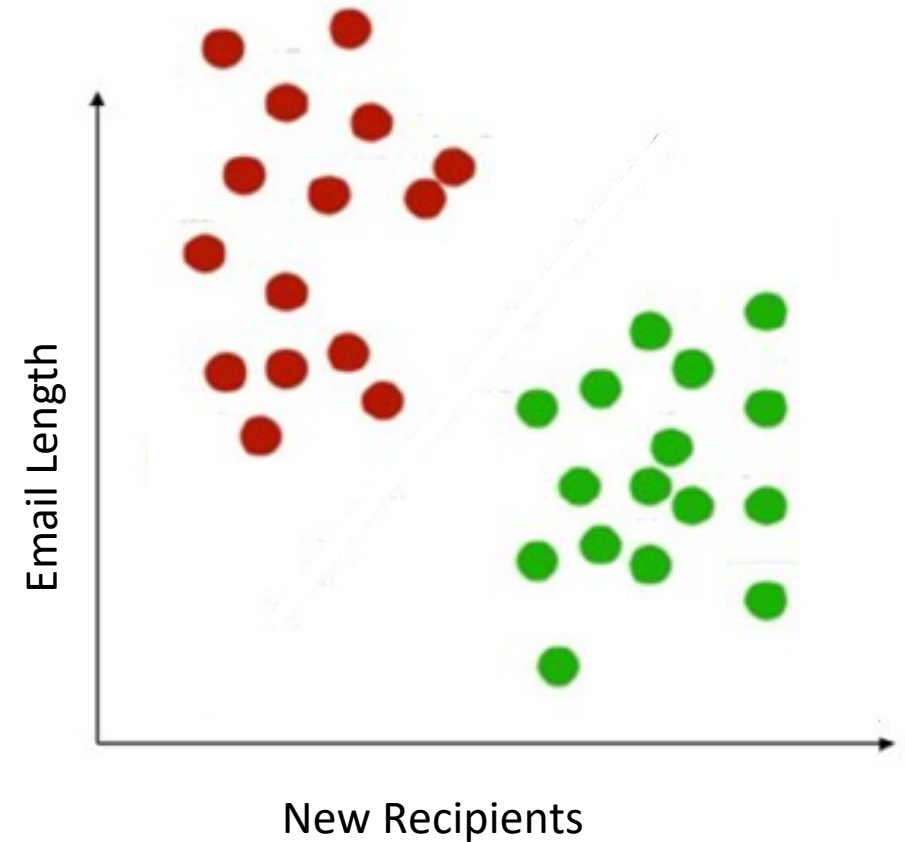
Supervised Learning

Instances X

Features				Y Labels
Number of new Recipients	Email Length (K)	Country (IP)	Customer Type	Email Type
0	2	Germany	Gold	Ham
1	4	Germany	Silver	Ham
5	2	Nigeria	Bronze	Spam
2	4	Russia	Bronze	Spam
3	4	Germany	Bronze	Ham
0	1	USA	Silver	Ham
4	2	USA	Silver	Spam

Nominal Ordinal

Numeric

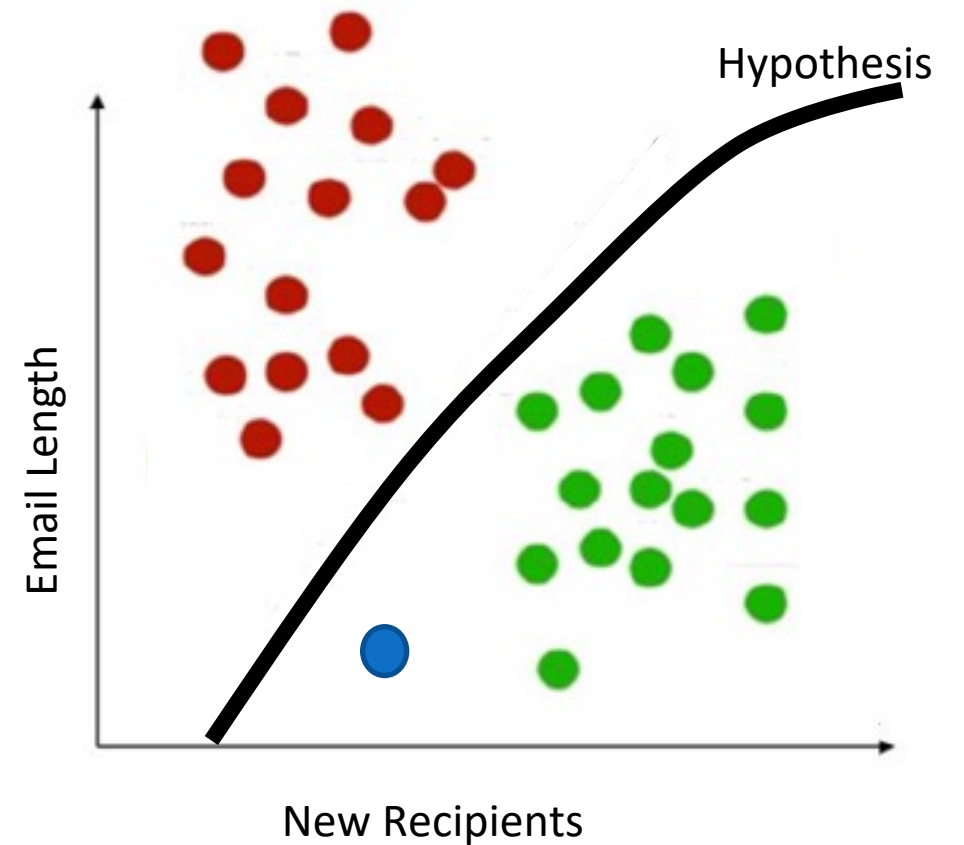


How would you classify this data?



When a new email is sent – could we predict if it is ham/spam?

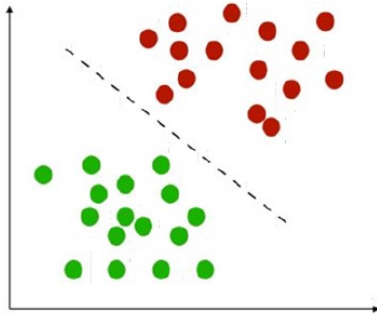
1. We place the new email in the space
2. Classify it according to the sub-space in which it resides.





Supervised Learning - Types

Classification



Discrete labels
– dog/cat

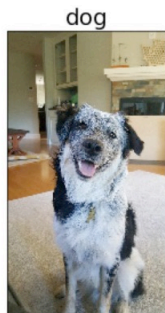
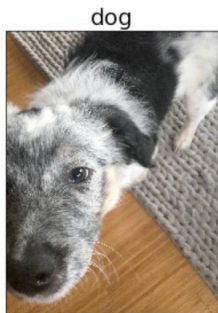
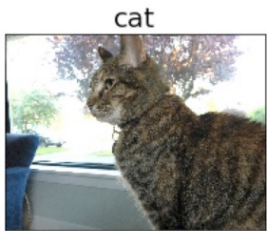
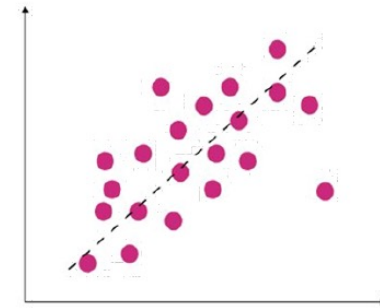


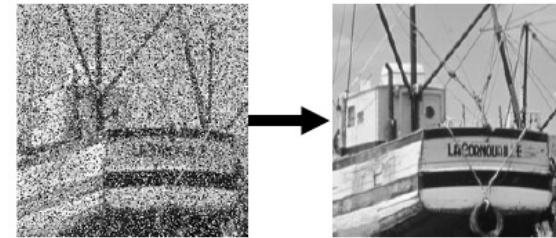
Image
classification

Regression



Continuous
variable – energy
of a particle

Image
denoising



Object
localization





Supervised Learning

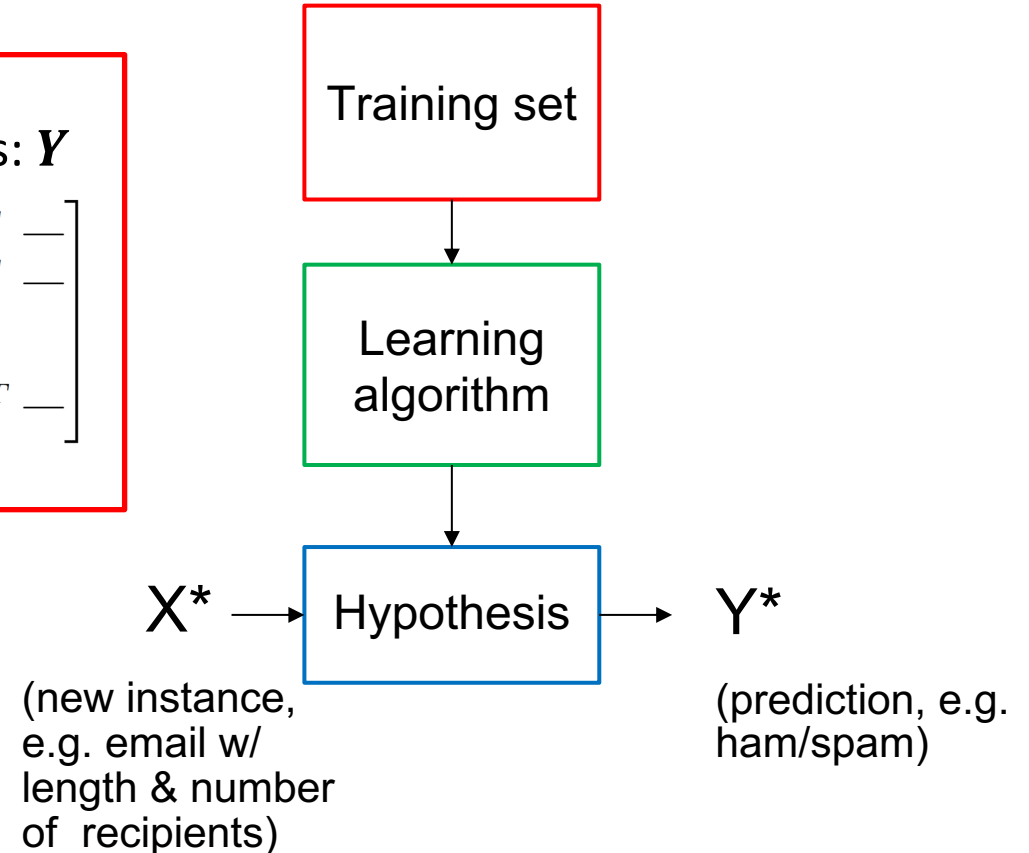
Learning Algorithm A Training set S Hypothesis h

$$A(S) = h$$

- Hypothesis class $\mathcal{H} = \{h_1, h_2, \dots\}$ wherein $\theta h(x) y \approx$
- Loss function
- Optimization method

Inputs: \mathbf{X} Labels: \mathbf{Y}

$$\begin{bmatrix} \text{---} & \mathbf{x}_1^T & \text{---} \\ \text{---} & \mathbf{x}_2^T & \text{---} \\ & \vdots & \\ \text{---} & \mathbf{x}_M^T & \text{---} \end{bmatrix}, \begin{bmatrix} \text{---} & \mathbf{y}_1^T & \text{---} \\ \text{---} & \mathbf{y}_2^T & \text{---} \\ & \vdots & \\ \text{---} & \mathbf{y}_M^T & \text{---} \end{bmatrix}$$





Linear regression



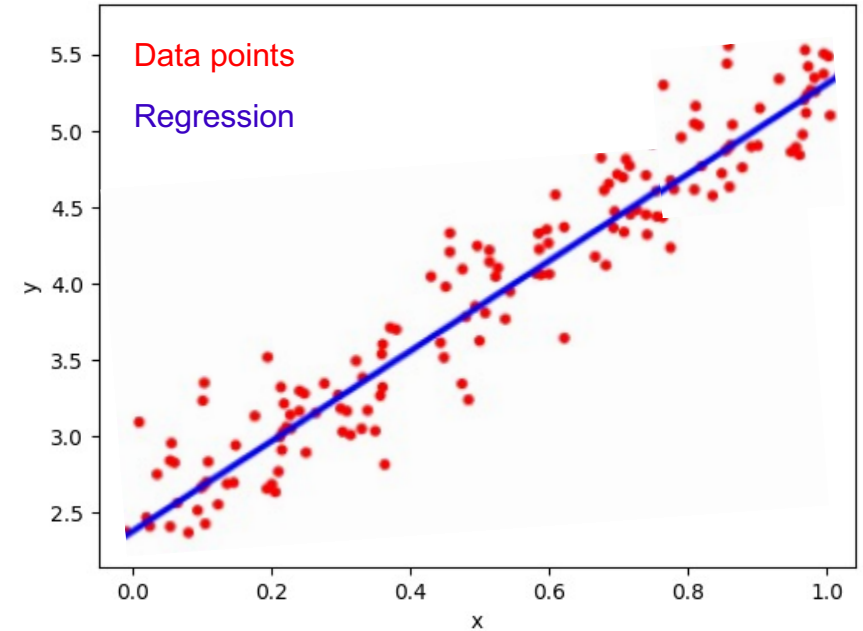
- Hypothesis class: Linear

$$\mathcal{H} = \{ \theta h \mid \mathbb{R} \in \theta^{N+1} \}, \theta h(x) = \theta_0 + \tilde{\theta}^T x = \theta^T \begin{pmatrix} 1 \\ x \end{pmatrix}$$

- Loss function: Mean Squared Error

$$\mathcal{L} = \frac{1}{M} \sum_{i=1}^M (h_{\theta}(x_i) - y_i)^2 = \frac{1}{M} \|X\theta - y\|^2$$

- Optimization method: Gradient Descent



In this case, the exact solution:

$$\nabla_{\theta} \mathcal{L} = 0 \implies \begin{aligned} \theta_0 &= \langle y \rangle + \theta_1 \langle x \rangle \\ \theta_1 &= \frac{\sum (x_i - \langle x \rangle)(y_i - \langle y \rangle)}{\sum (x_i - \langle x \rangle)^2} \end{aligned}$$



Gradient descent - recap

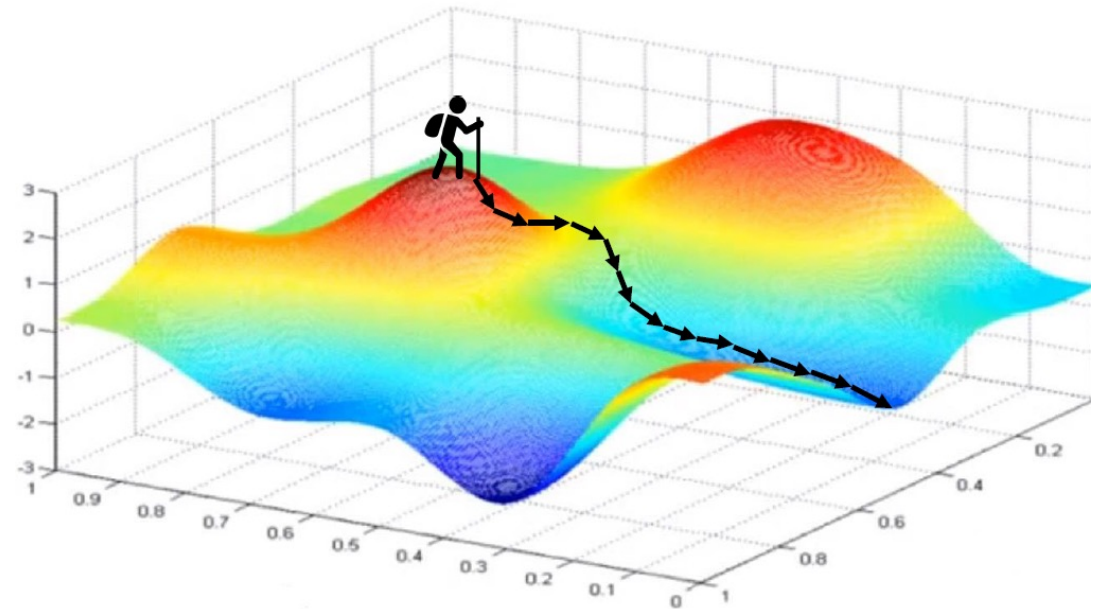
Iteratively reduce loss

$$\nabla \mathcal{L}(\theta_0, \theta_1 \dots \theta_N) = \begin{pmatrix} \frac{\partial \mathcal{L}}{\partial \theta_0} \\ \frac{\partial \mathcal{L}}{\partial \theta_1} \\ \vdots \\ \frac{\partial \mathcal{L}}{\partial \theta_N} \end{pmatrix}$$

1. Initialize θ randomly
2. Repeat until convergence:

$$\theta := \theta - \alpha \nabla \mathcal{L}(\theta)$$

α : Learning rate

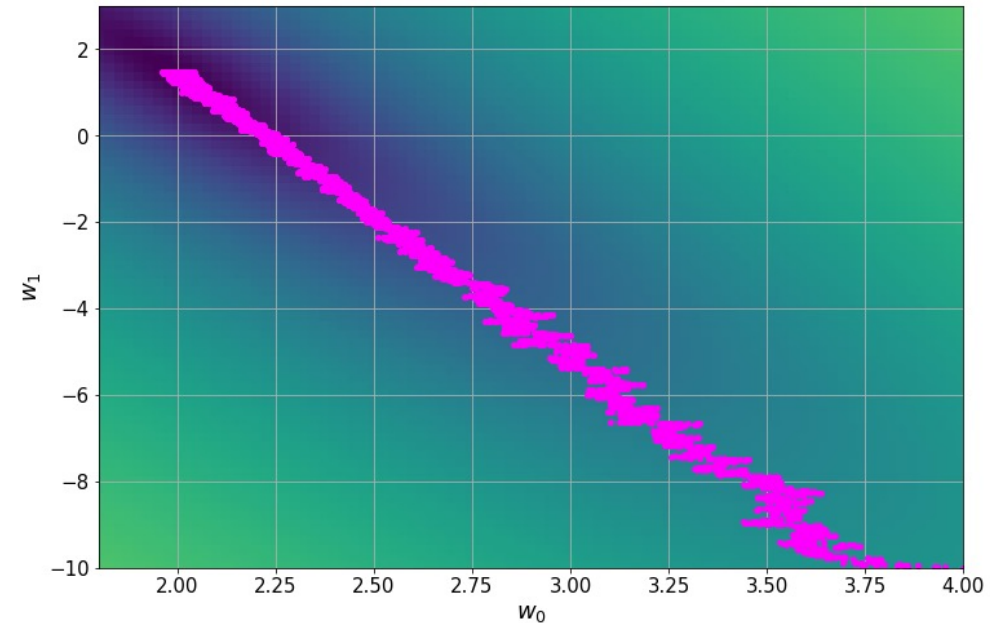
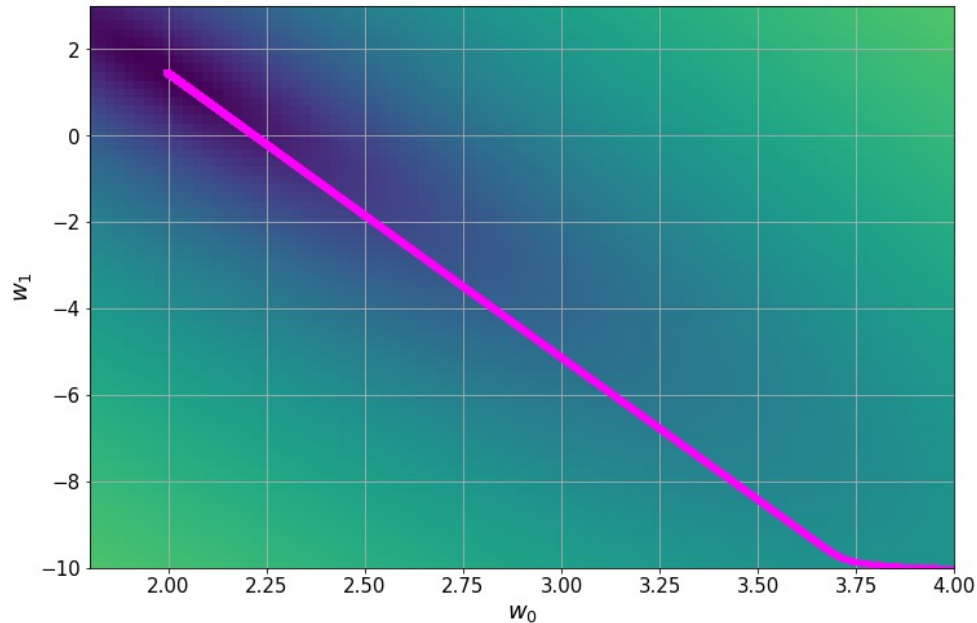




Optimize faster? Mini-batch Stochastic GD

SGD uses a **subset of data** for gradient calculation:

1. Create a batch = random subset of data.
2. Compute the gradient for the batch and update the parameters.





Loss functions for regression

- **Mean Absolute Error (MAE ,L1 loss)**

$$\text{MAE} = \frac{1}{m} \sum_{i=1}^m |y_i - h_{\theta}(\mathbf{x}_i)|$$

- **Mean Squared Error (MSE, L2 loss)**

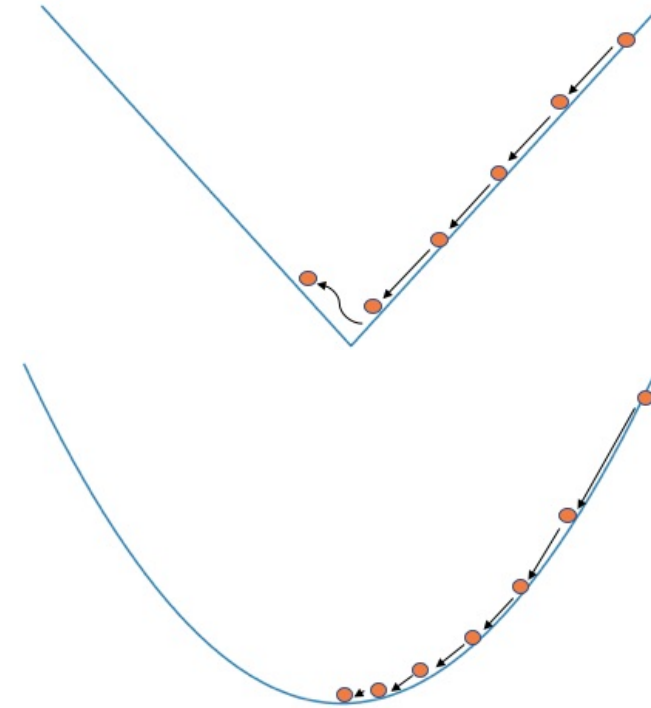
$$\text{MSE} = \frac{1}{m} \sum_{i=1}^m (y_i - h_{\theta}(\mathbf{x}_i))^2$$

Loss gets small when $1 >$ but may explode when $1 \ll$

- **Huber Loss**

$$\text{Huber} = \begin{cases} \frac{1}{2}a^2 \dots \text{for } a \leq \delta \\ \delta|a| - \frac{1}{2}\delta^2 \dots \text{otherwise} \end{cases}$$

combines them together: L1 when the loss is large, L2 when it's small. (hyperparameter: δ)





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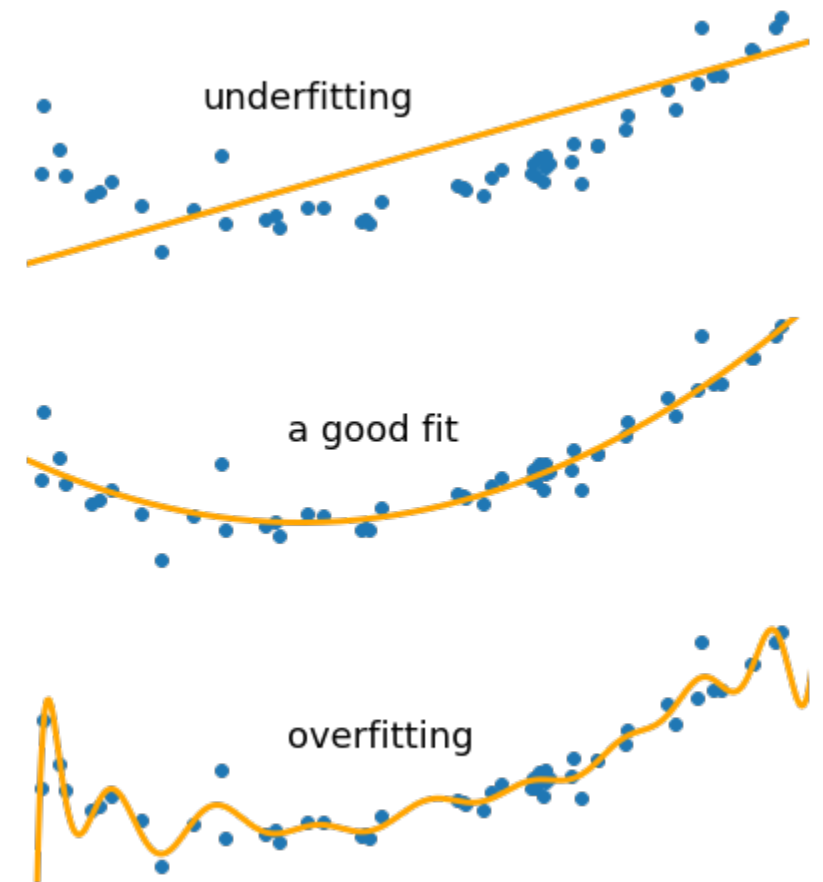
Generalization

Generalization: model works well equally on the train and unseen datasets.

Overfitting: model “memorized data”.

- Works well on train data but poorly on unseen data (test set).
- Typical for complex model + low data statistics.

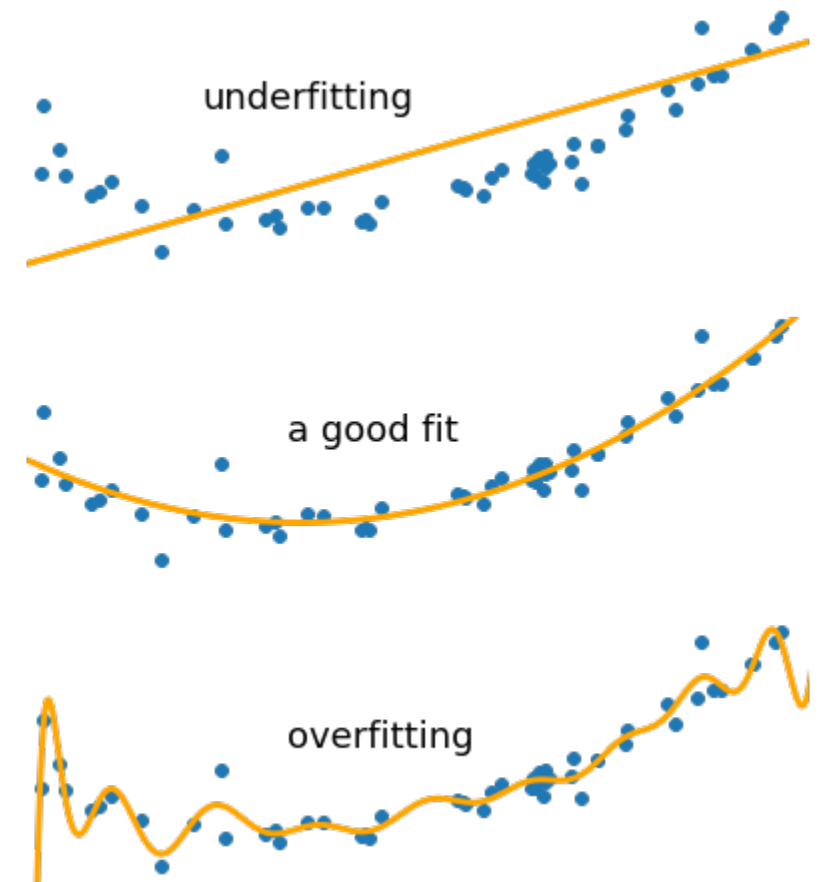
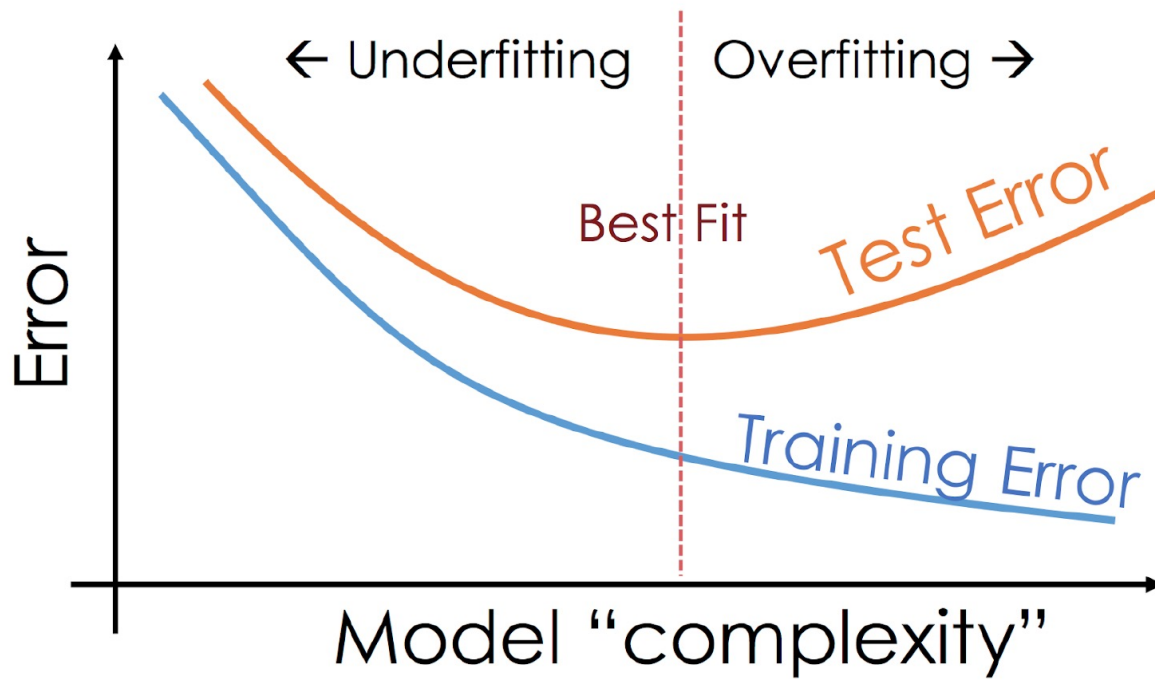
For example: A polynomial of a higher power makes the model more complex, or flexible, and as a result a model can overfit.





Generalization

Generalization: model works well equally on the train and unseen datasets.



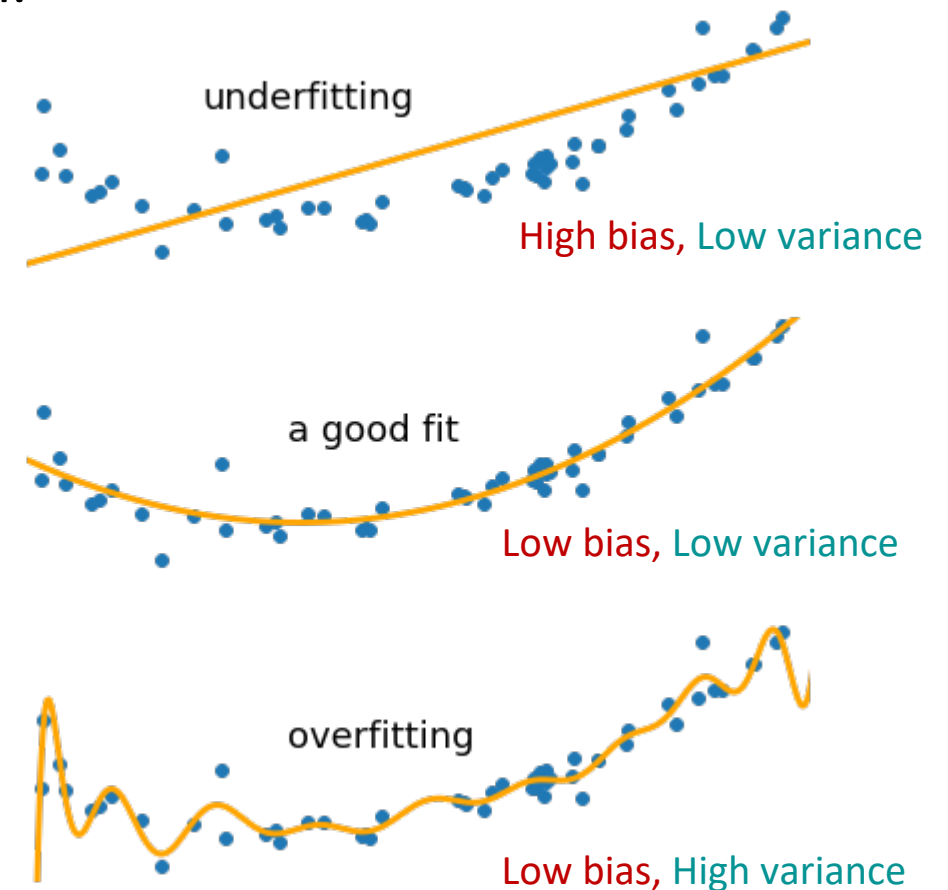
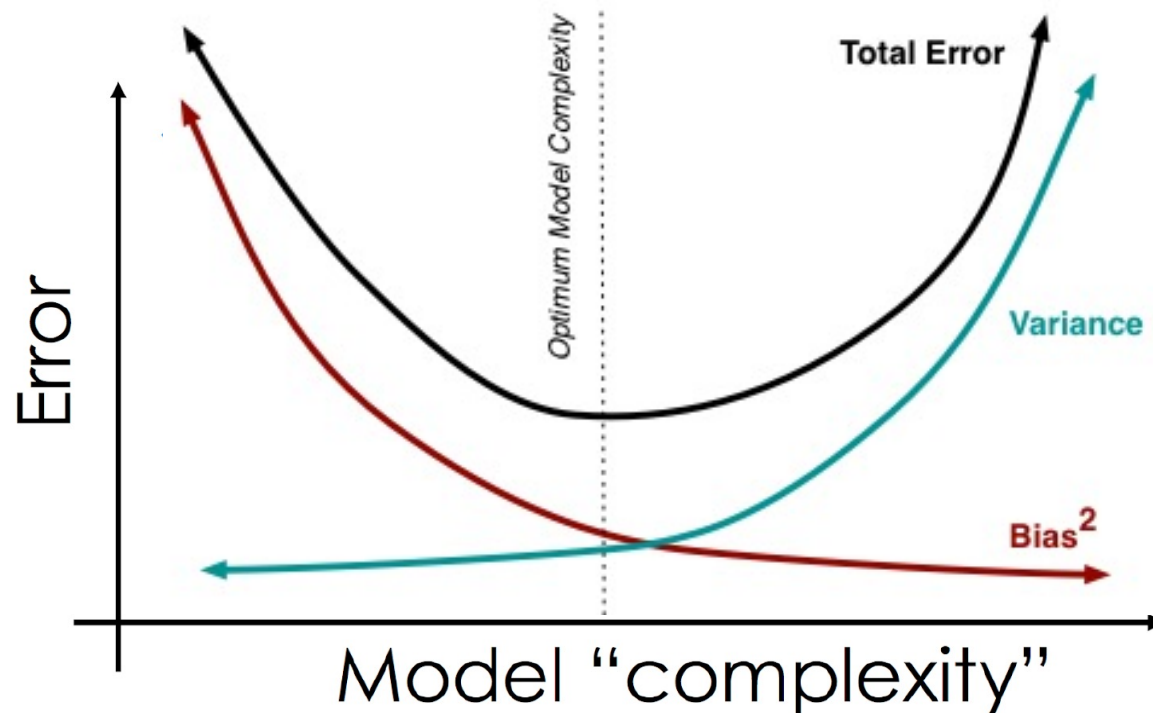


Bias-Variance tradeoff

Bias: simplifying assumptions to make the model easier to approximate.

Variance: how much the model will change given different training data.

Trade-off: tension between the error introduced by both.





Regularization

- Additional constraints on model parameters.
- Can help avoiding overfitting - prefer a simpler solution over complicated ones.

$$\mathcal{L}_{\text{total}} = \mathcal{L}(\mathbf{y}, h(\mathbf{x}, \boldsymbol{\theta})) + \lambda R(\boldsymbol{\theta})$$

model loss

regularization loss

λ : regularization
parameter

- Basic regularization terms:

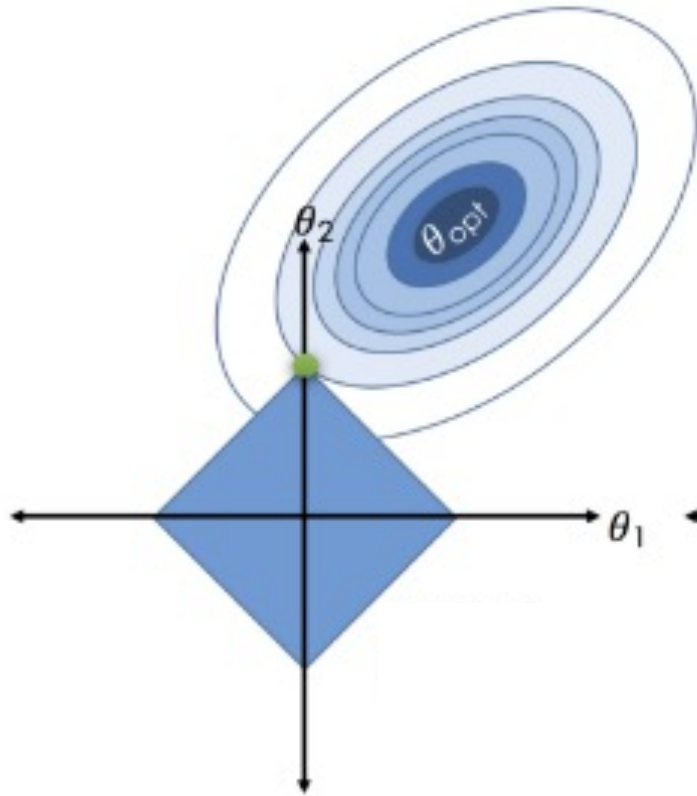
$$L_1: R(\boldsymbol{\theta}) = \|\boldsymbol{\theta}\|_1 = \sum |\theta_i| \quad \text{Lasso - favors sparse solutions}$$

$$L_2: R(\boldsymbol{\theta}) = \|\boldsymbol{\theta}\|_2^2 = \sum \theta_i^2 \quad \text{Ridge - favors smaller values}$$

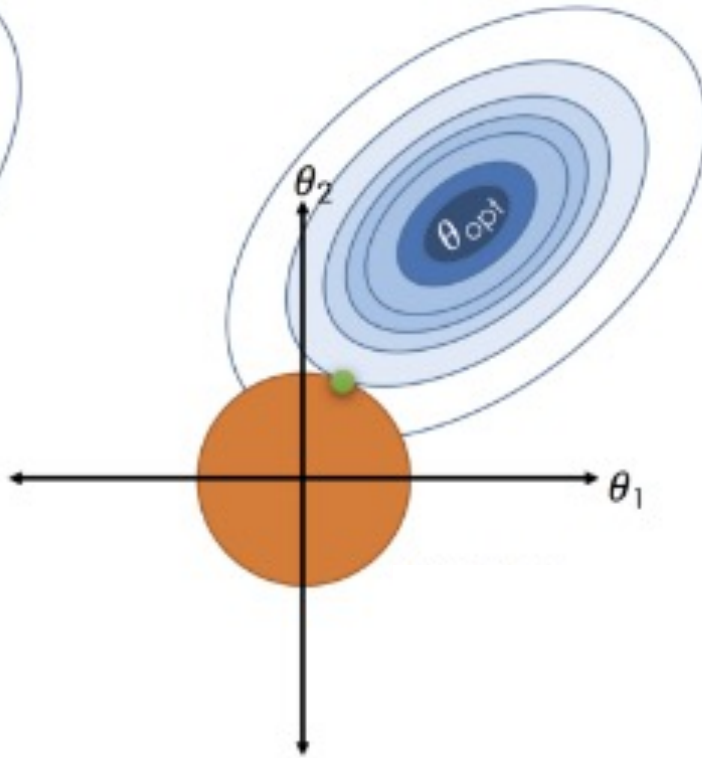
$$L_{1+2}: R(\boldsymbol{\theta}) = \sum |\theta_i| + \beta \theta_i^2 \quad \text{Elastic net}$$



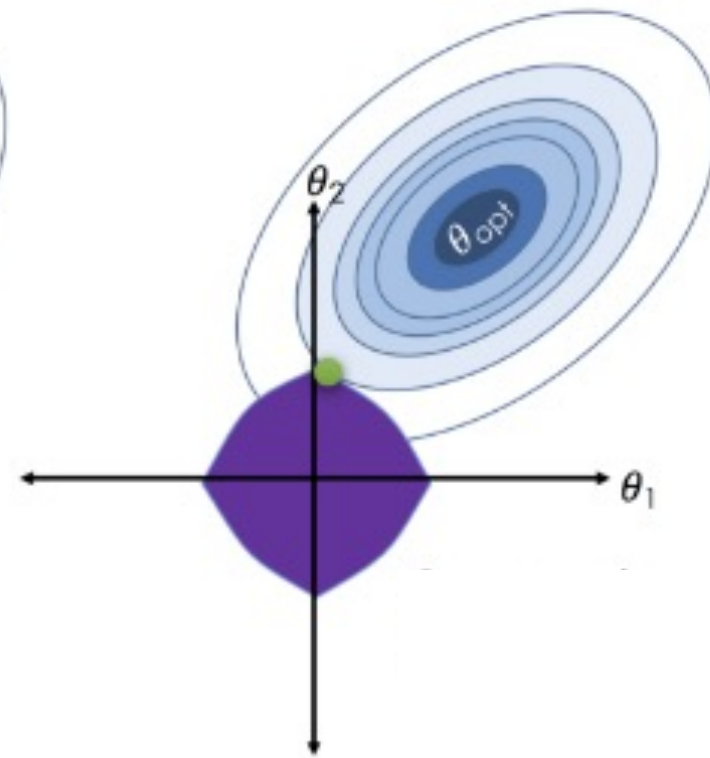
Regularization



$$L_1: R(\theta) = \|\theta\| = \sum |\theta_i|$$



$$L_2: R(\theta) = \|\theta\|^2 = \sum \theta_i^2$$



$$L_{1+2}: R(\theta) = \sum |\theta_i| + \beta \theta_i^2$$



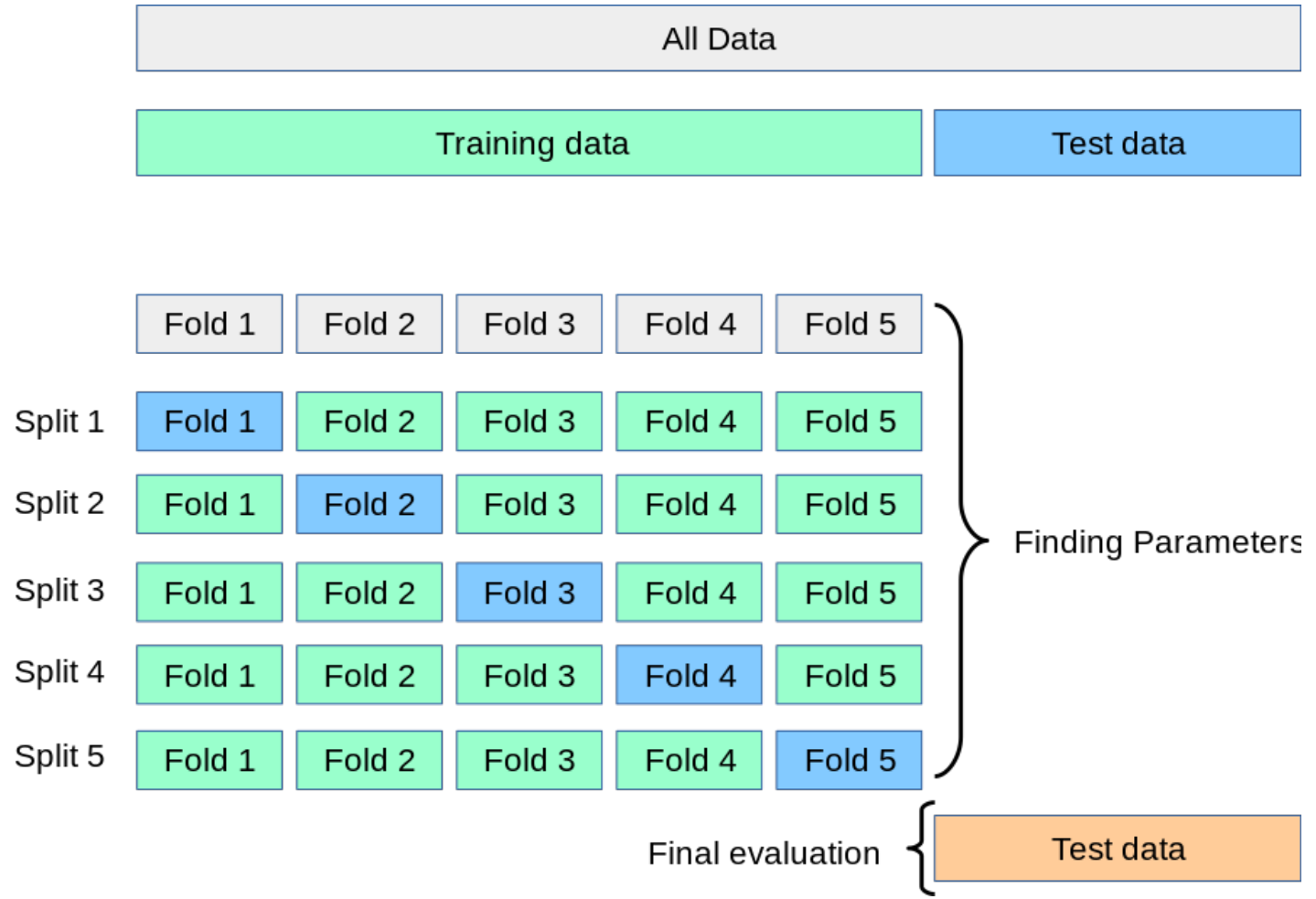
Cross Validation

2 Datasets:

- **Train set** to optimize the model.
- **Test set** to evaluate performance after the model is tuned.

How to evaluate the model during optimization?

- Split the train set into k -folds.
- Use i -th set as a “validation set” to measure the performance of a model trained on the rest ($k-1$ combined).
- Repeat k -times.
- Take the mean as a performance.



[From scikit webpage](#)



Intermediate summary

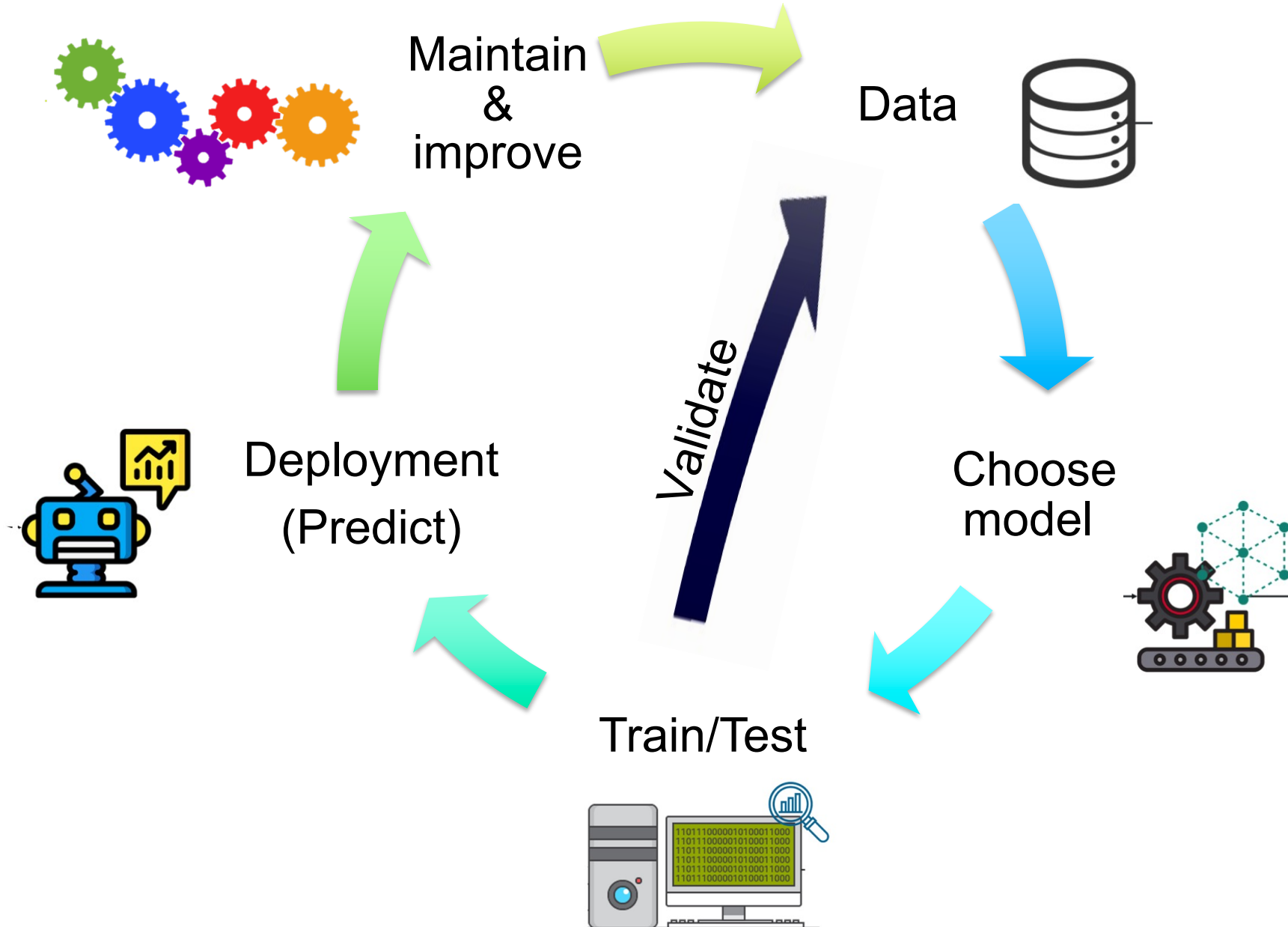
- **Supervised learning** – ML task of learning a function that maps an input to an output based on example input-output pairs.
 - Define a model, loss function and optimization method.
 - Popular **loss functions** = Mean Squared Error (MSE), Mean Absolute Error (MAE).
 - Popular **optimization method** = Gradient Descent (GD) or Stochastic GD (SGD) which uses a random subset of train data.
- Two datasets:
 - **Train** set = dataset used to optimize models parameters.
 - **Test** set = dataset used to benchmark the performance of the model.
 - **Features**: traits/attributes that can be used to describe each data sample in a quantitative manner.
- **Generalization** = model performs on the test dataset as well as the train dataset
 - **Overfit** = *memorization* of data, a model performs well on train set but poorly on test set
- **Regularization** = additional constraints on model parameters, can help avoiding overfitting.
 - L2 prefers smaller weight values, L1 may lead to a sparse solution
- **Cross validation** = splitting the train set to k-folds to create validation set(s) and measure model performance and/or tune hyperparameters.



- How to learn from data?
- Supervised learning (Linear regression)
- Generalization (Over fitting, Regularization, Cross validation)
- **Machine learning life cycle**
- Practical concepts (data normalization, rescaling outliers, Robustness)



ML life cycle

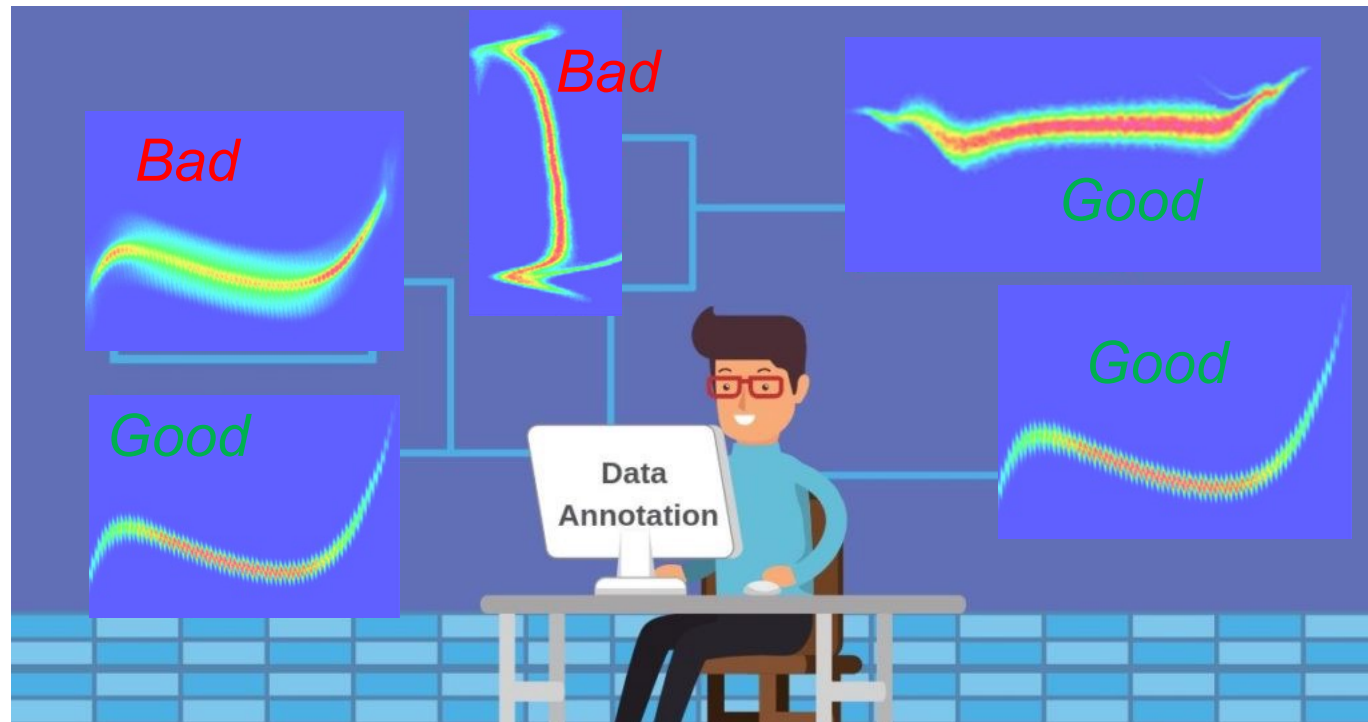
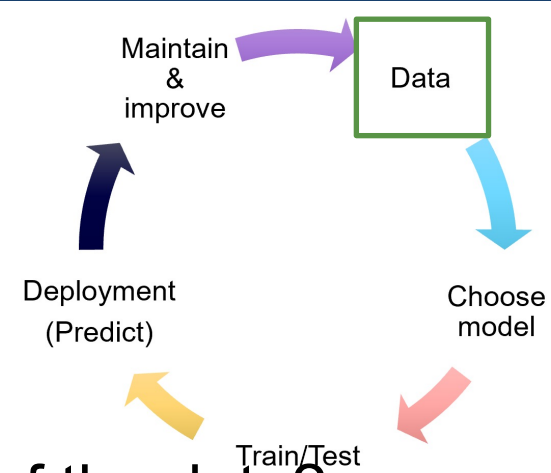




ML Life Cycle – Dataset Labeling

What purpose will this dataset serve?

- will the data be used for training, testing, both?
- will the data be used to evaluate an existing algorithm?
- will the labels be used to determine the underlying distribution of the data?

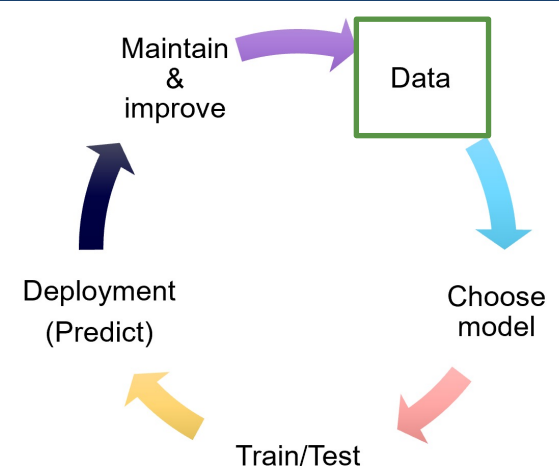




ML Life Cycle – Dataset Cleaning

Prepare the data for training and/or testing

- Remove unwanted observations
- Combine labels from multiple people (measure label quality)
- Remove (or add) bias for training/testing purposes
- Augmentation

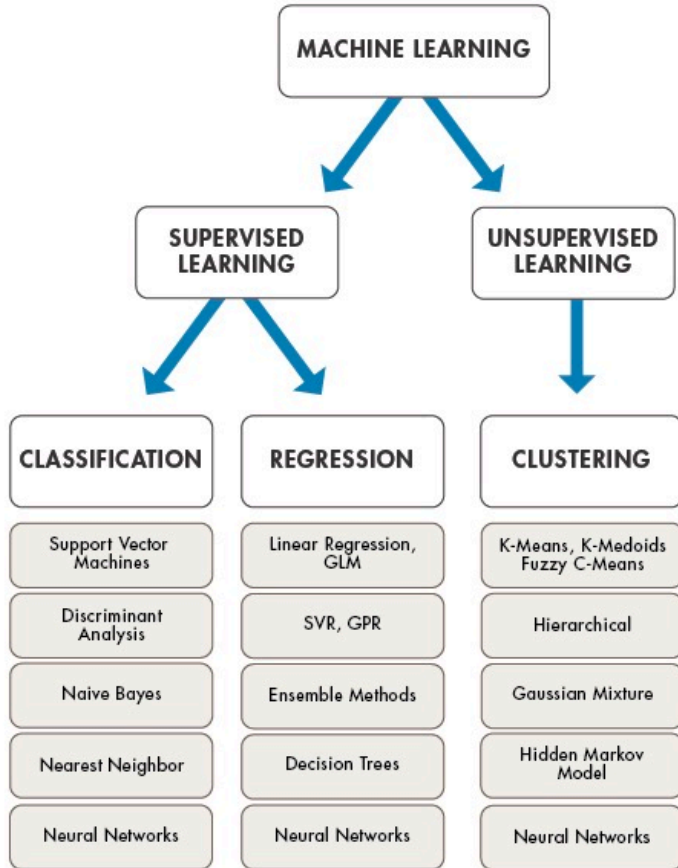


CONFIDENTIAL



ML Life Cycle – Choosing a model

1. What is our task?



2. Choose simple models first, don't overkill: Occam's razor rule

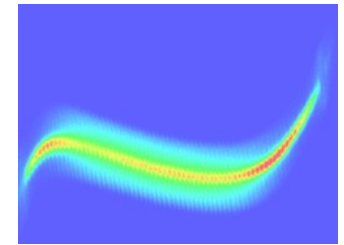
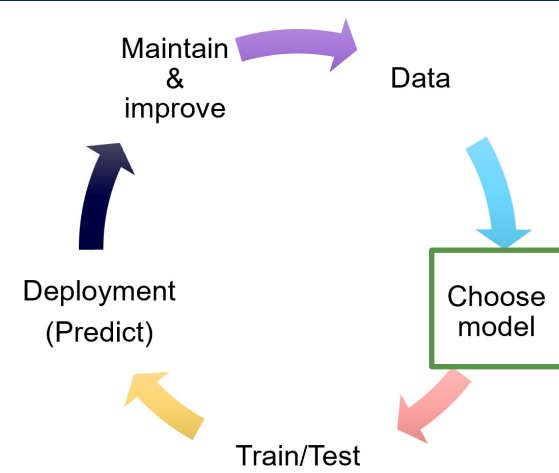
Maybe a simple linear regression on one feature will do.



$$y = a_0 + a_1x$$



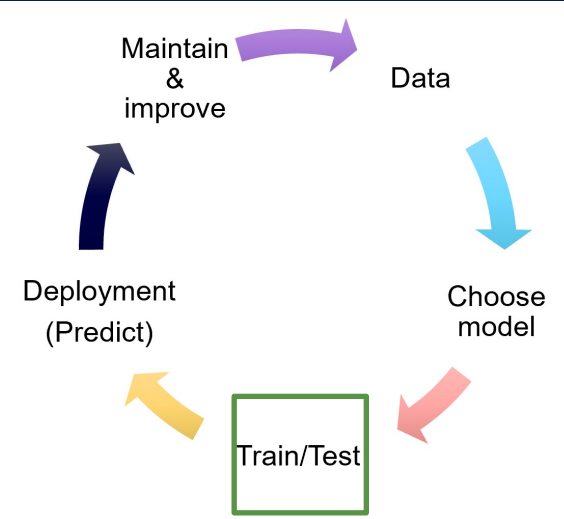
$$y = a_0 + a_1x + a_2x^2 + a_3x^3 + \dots + a_nx^n$$



Consider the input (e.g. pixels, derived features, etc.)



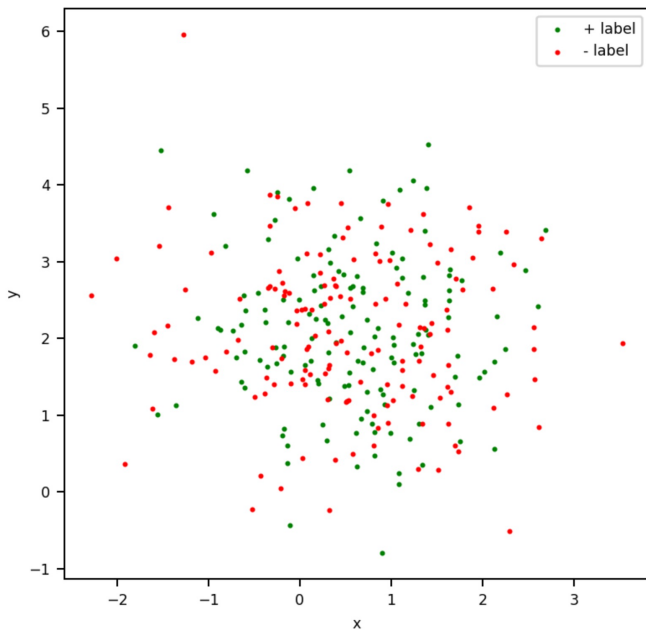
ML Life Cycle – Train/Test



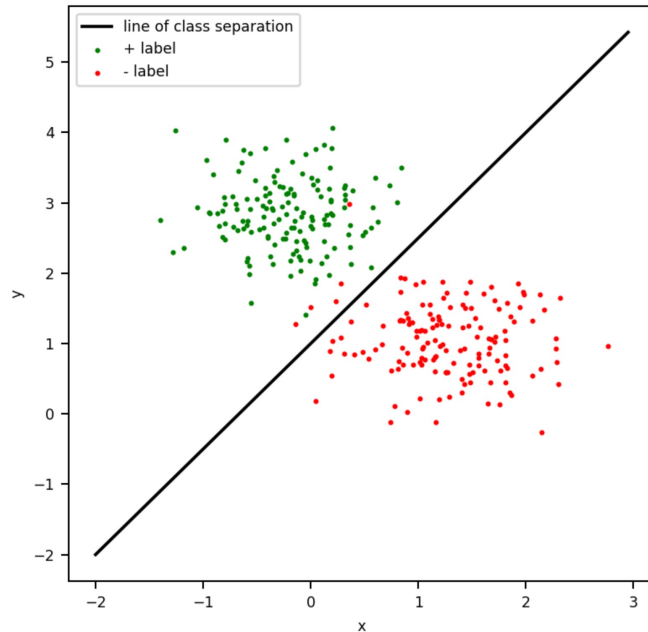
Model training: modify model parameters so that they describe the data.

Model testing: How general is the model when evaluated on new data?

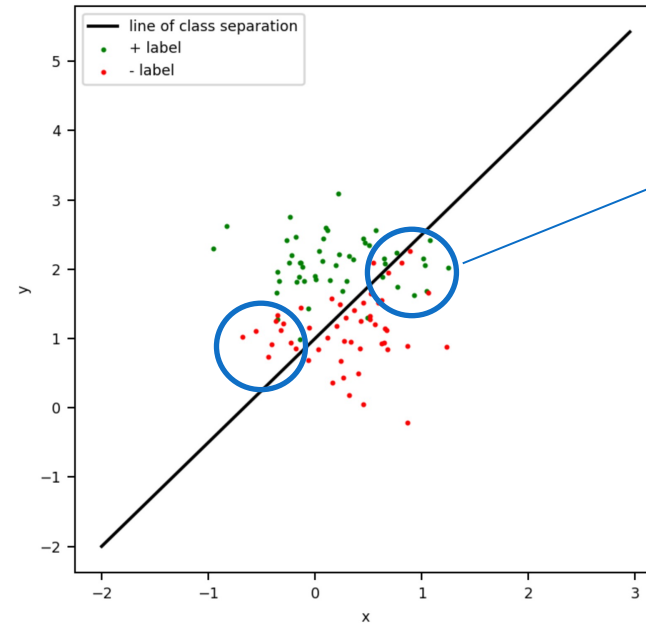
Before training



After training



Testing



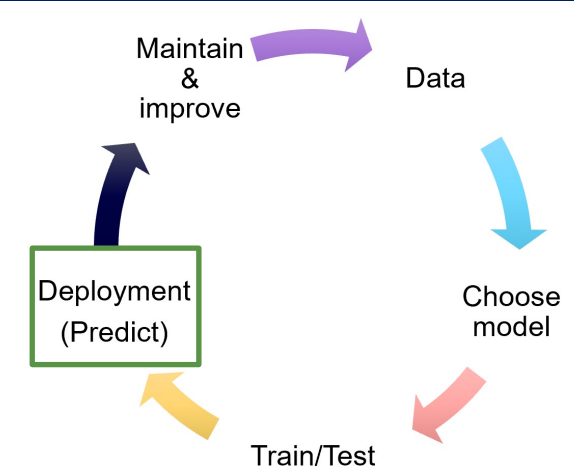
Performs poorly on the test data

Make sure to choose a test set that is representative of the real population!



ML Life Cycle – Deployment (MLOps)

The model is trained and performs well on unseen data
→ it's time to go on production (deployment)



1. New data in

01100
10110
11110

01100
10110
11110

01100
10110
11110

2. Data cleansing

- Remove outliers
- Build features needed
- Standarise (scale) data



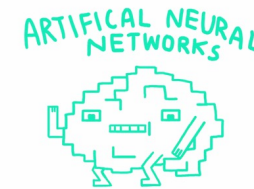
3. Data storage (databases)

- Available: Fast read/write of data
- Consistent: data won't change



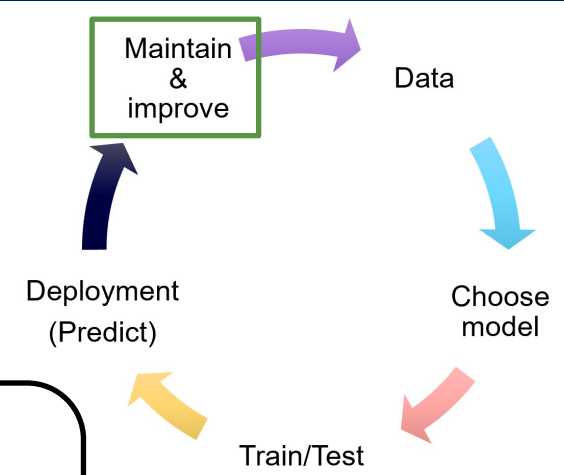
4. Prediction: ML inference

Data is ready to be consumed by the trained model:





ML Life Cycle – Maintain & Improve (MLOps)

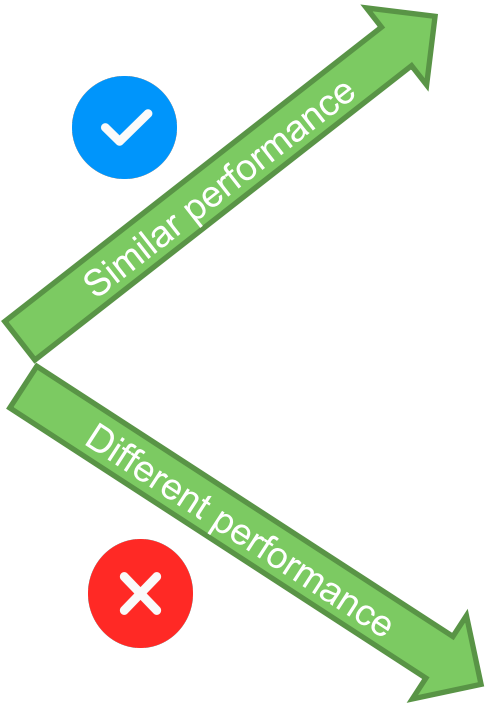


But what happens if data changes? *MLOps: make sure the deployed model is correct and predicts well*

5. Test again

Is your performance on new test similar to the original test?

Old test set	Old performance
01100 10110 11110	
New test set	New performance
01100 10110 11110	

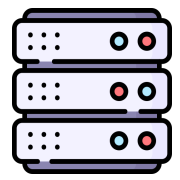


5. Retrain with the new data:

Retrain and substitute old model by the newly trained one

Report to human...

You better have a look at this...



Write a story on Jira, will do tomorrow





- How to learn from data?
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Features have different ranges

Name	Weight	Price
Orange	15	1
Apple	18	3
Banana	12	2
Grape	10	5

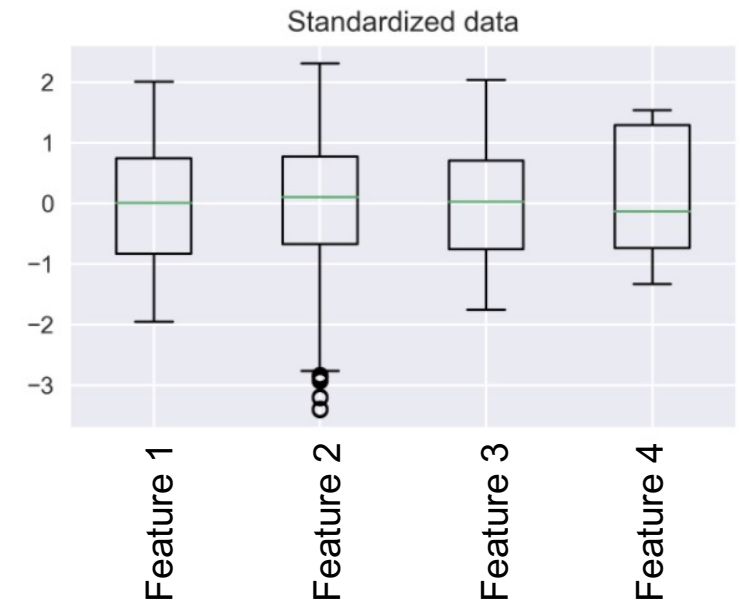
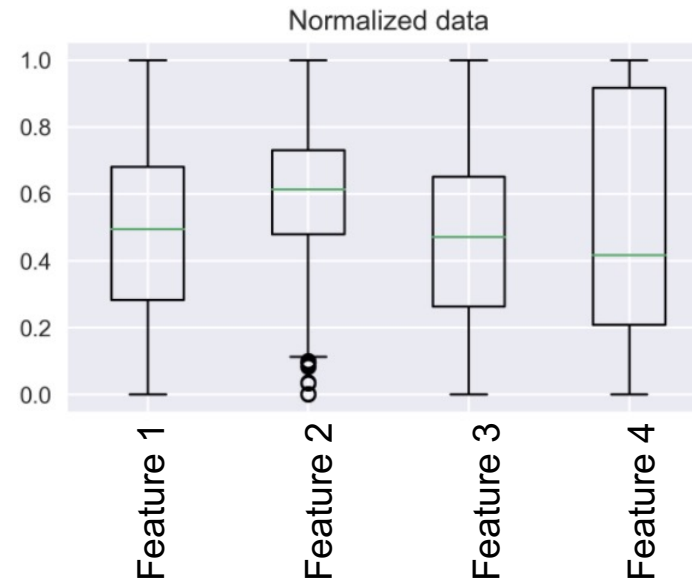
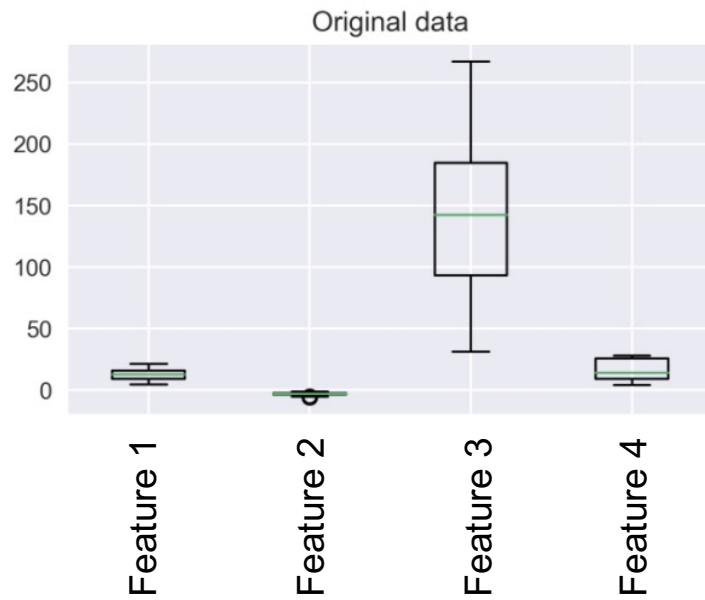
“Weight” > “Price”

The algorithm assumes that “Weight,” is more important than “Price.”



Practical concepts – data scaling

Features have different ranges → Scaling the data so that all the features will be comparable and have a **similar effect** on the learning models.

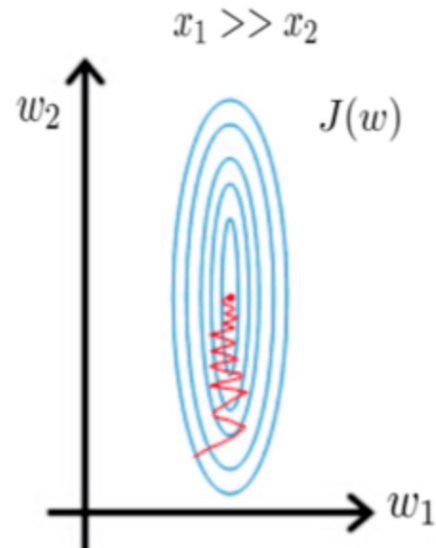




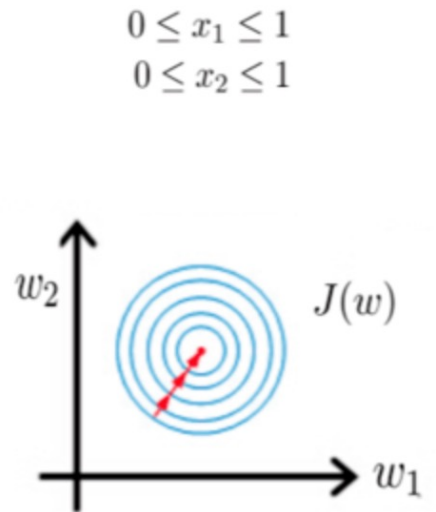
Practical concepts – data scaling

Another reason for feature scaling is that some algorithms **converge much faster** with feature scaling than without it.

Gradient descent
without scaling



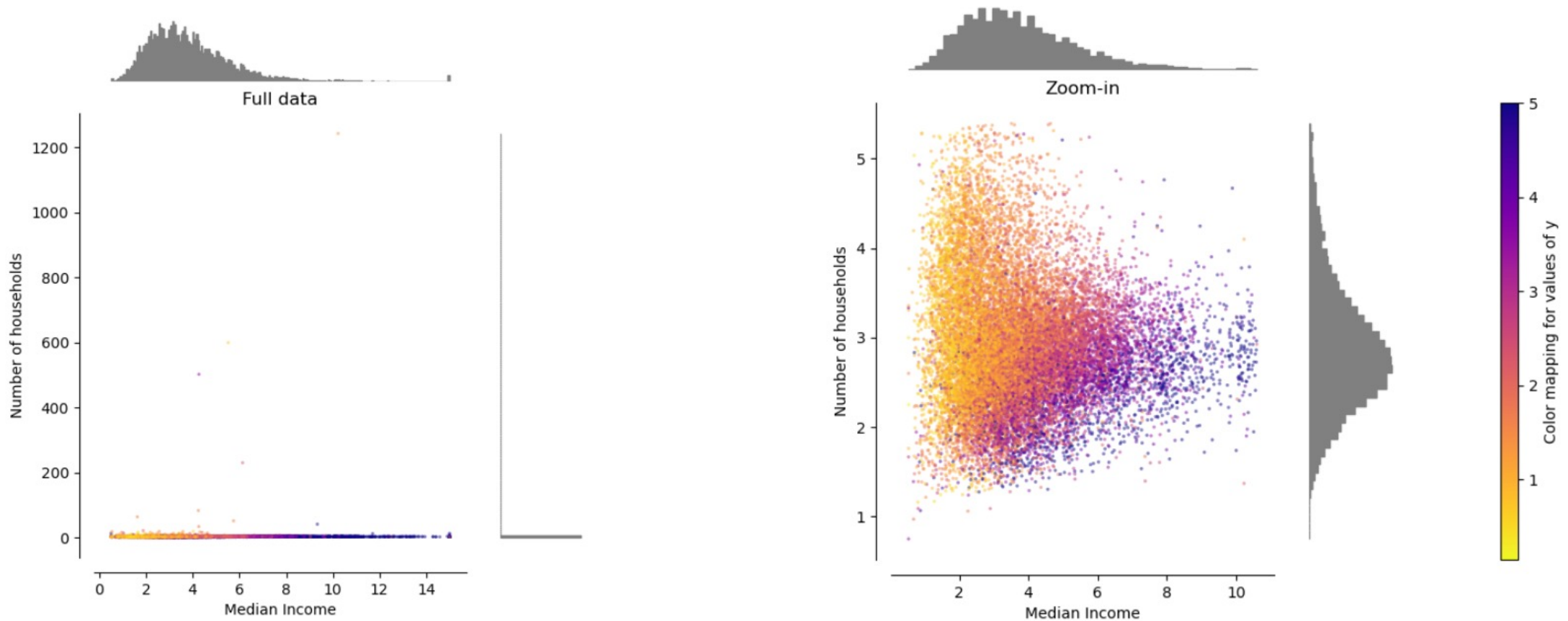
Gradient descent
after scaling variables





Practical concepts – scaling data with outliers

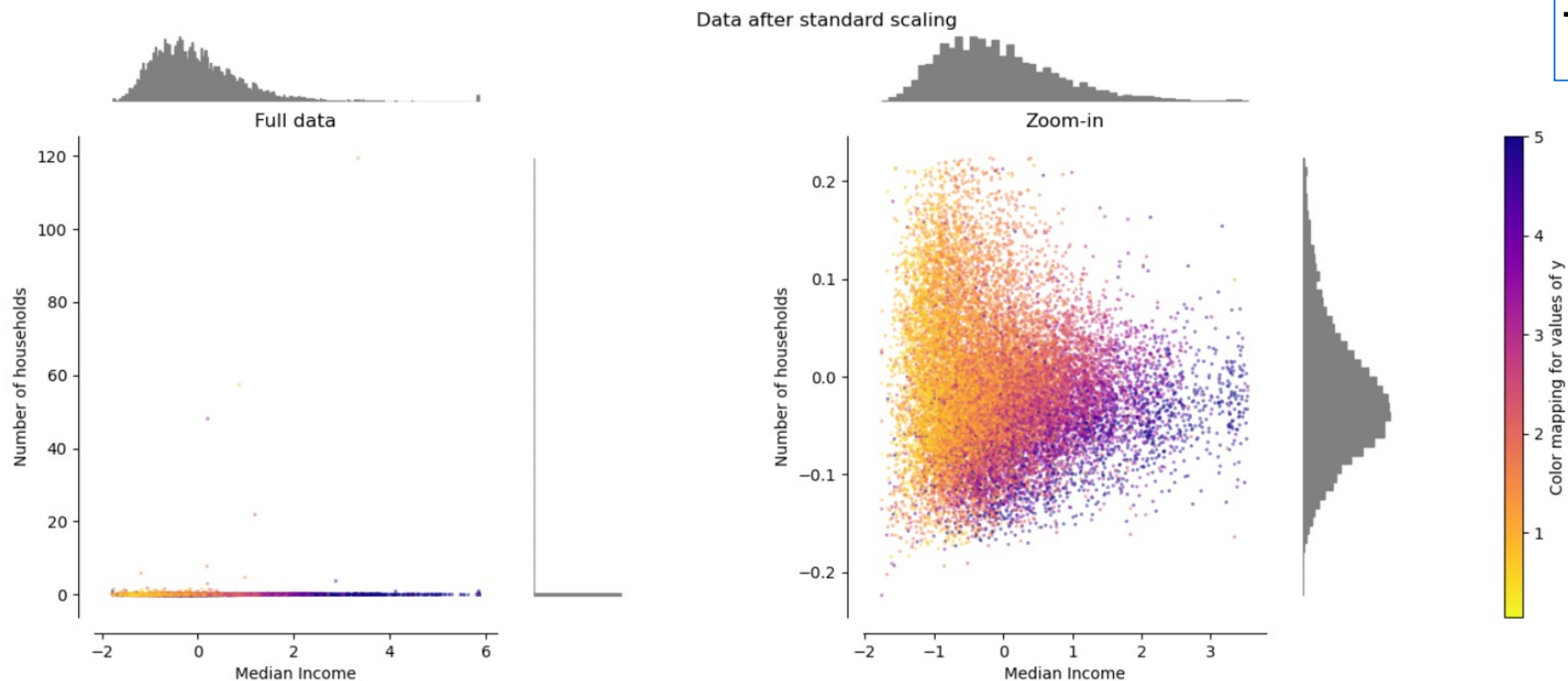
- Data has marginal outliers → pre-processing can be very beneficial.





Practical concepts – scaling data with outliers

- **Standard Scaler** removes the mean and scales the data to unit variance.
 - outliers have an influence when computing the mean & std.
 - → cannot guarantee balanced feature scales in the presence of outliers.



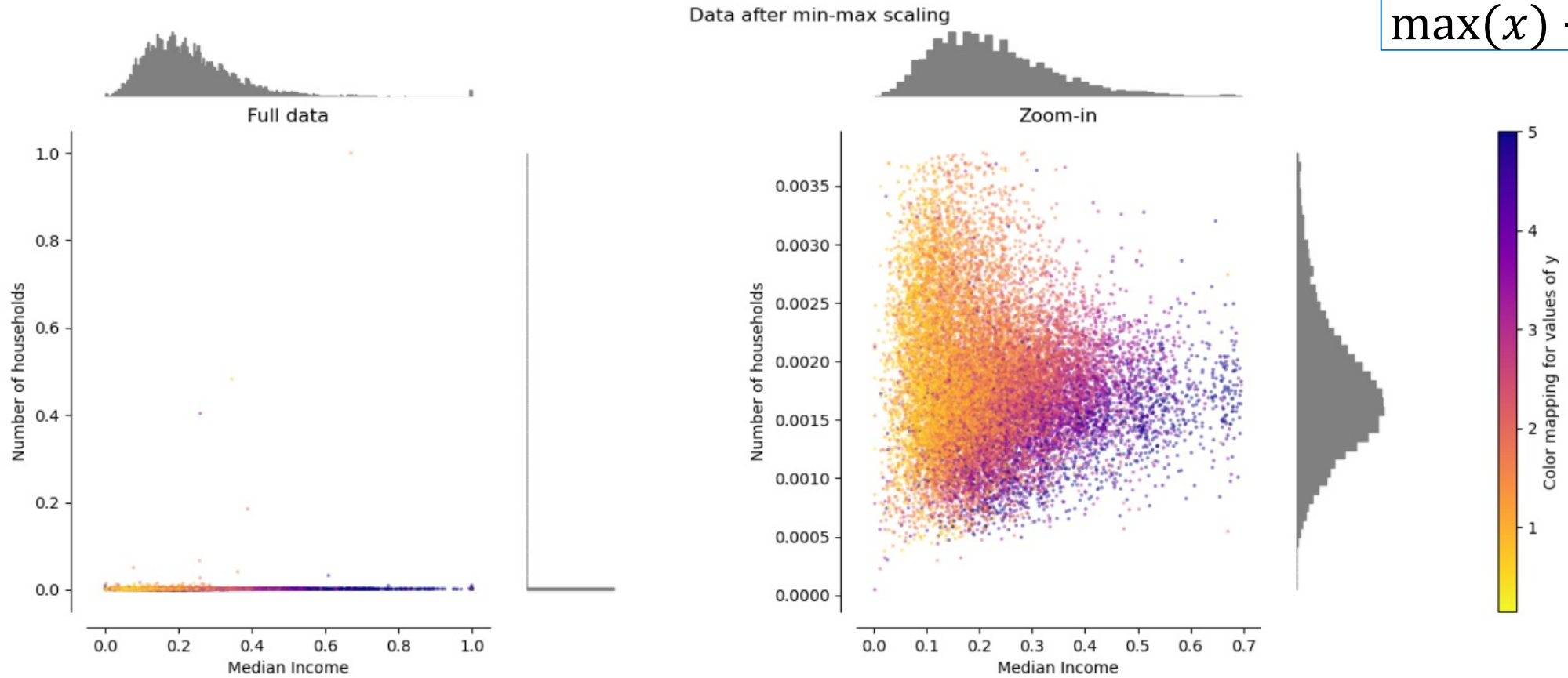
$$\frac{x - \text{mean}(x)}{\text{std}(x)}$$



Practical concepts – scaling data with outliers

- **MinMax Scaler** rescales the data set such that all feature values are in the range $[0, 1]$ → very sensitive to the presence of outliers.

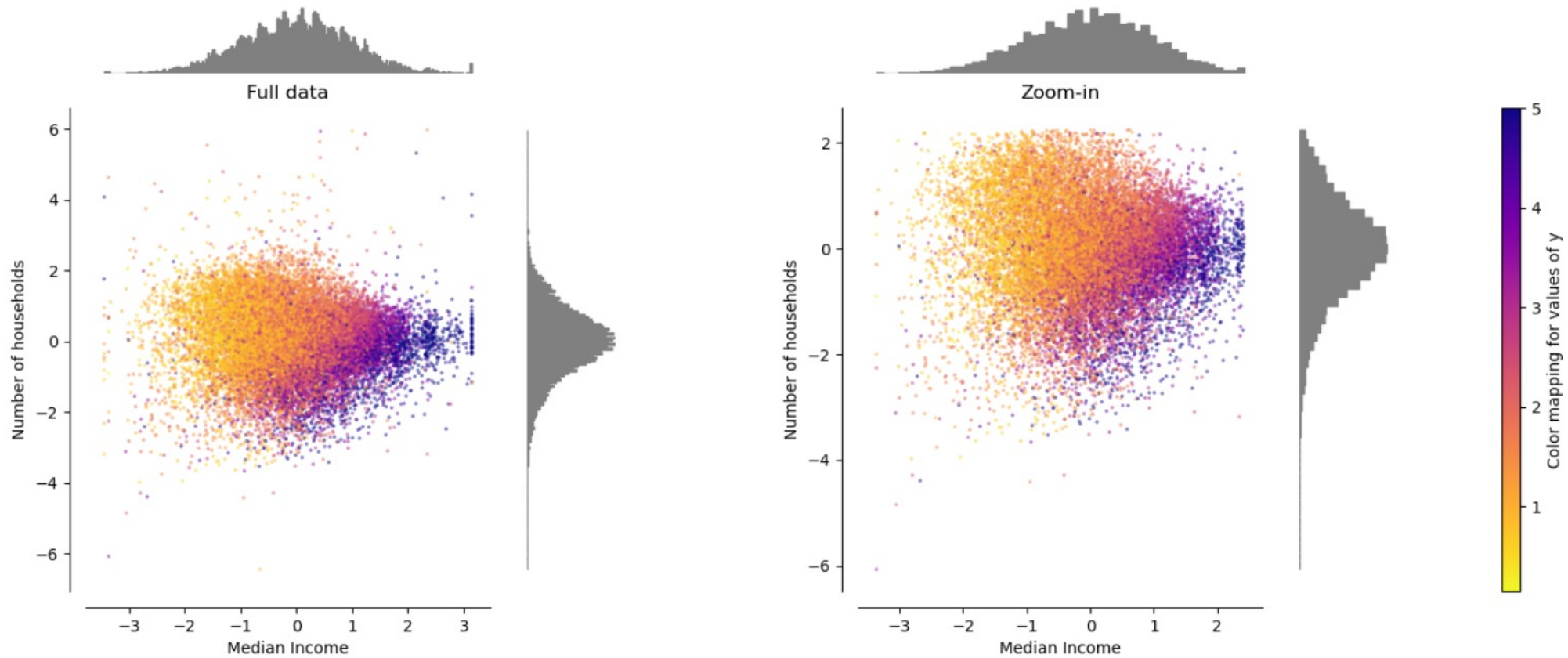
$$\frac{x - \min(x)}{\max(x) - \min(x)}$$





Practical concepts – scaling data with outliers

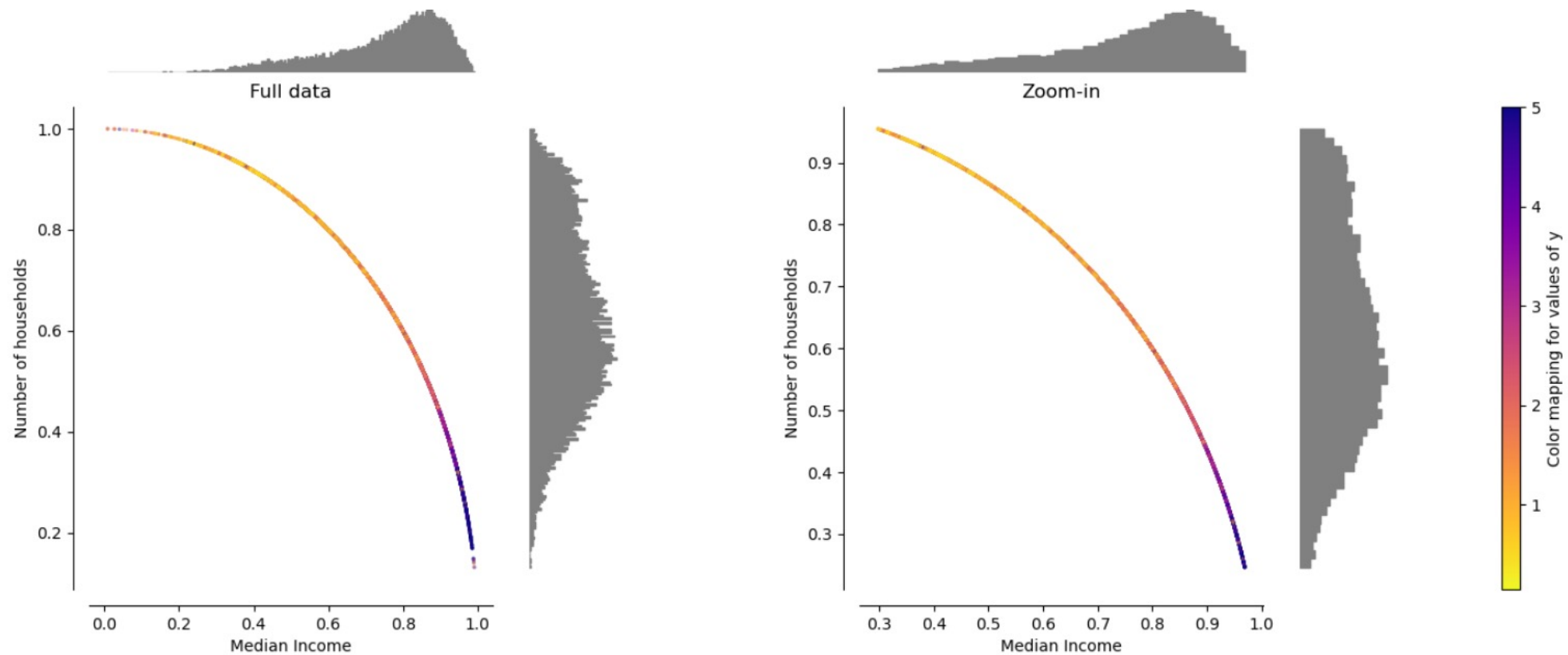
- **Power transformer** applies a power transformation to each feature to make the data more Gaussian-like in order to stabilize variance and minimize skewness.





Practical concepts – scaling data with outliers

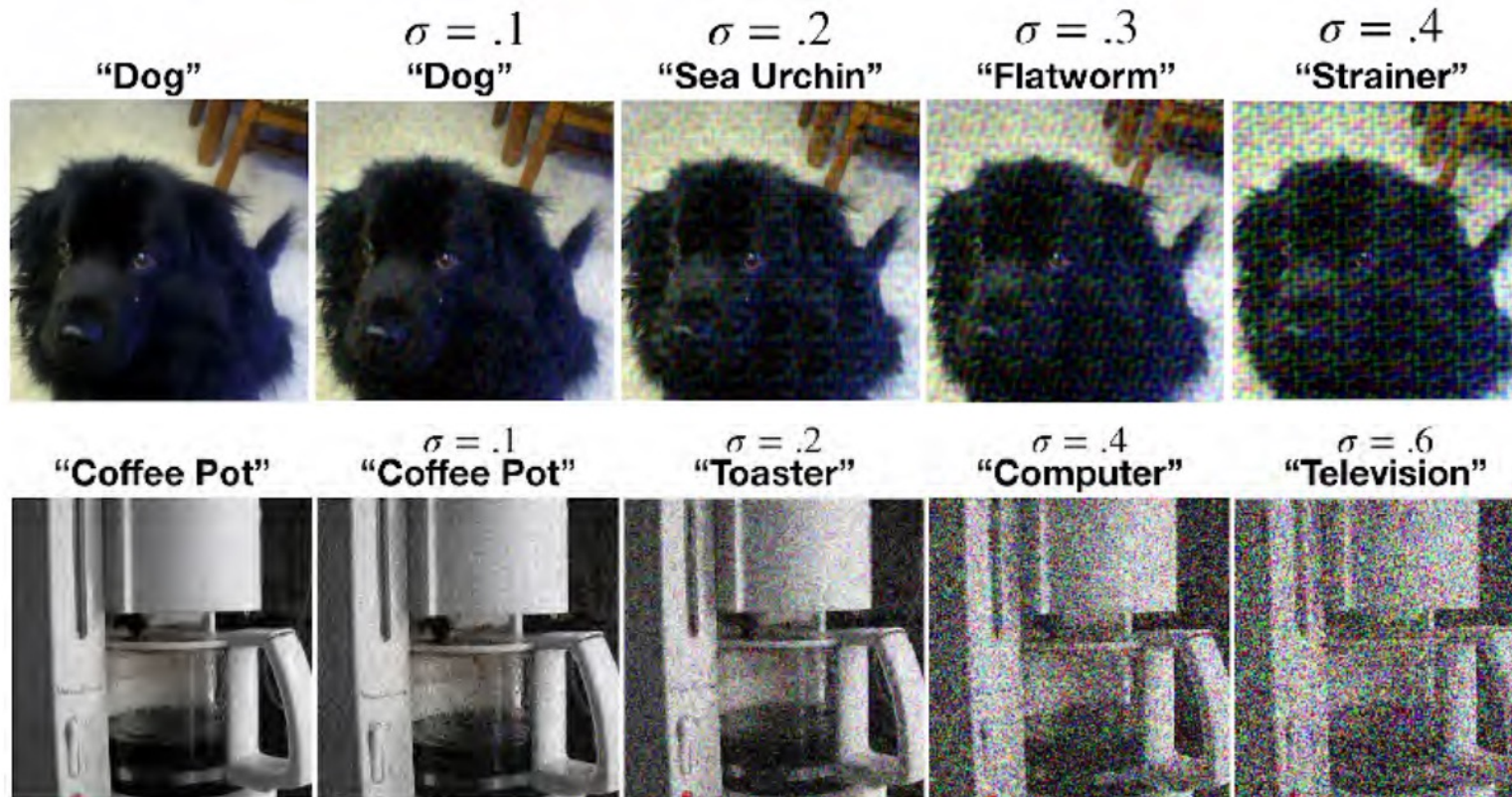
- **Normalizer** rescales the vector for each sample to have unit norm, independently of the distribution of the samples → all samples are mapped onto the unit circle.





Robustness

- Models are often not robust to small shifts in the distribution, especially for high-dimensional data.





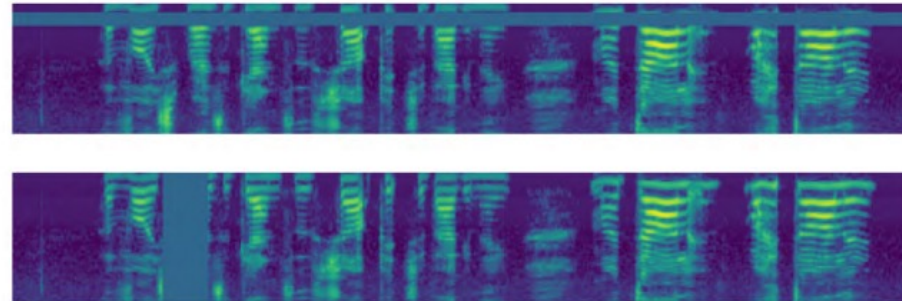
Data augmentation can help

- Augmentation strategies don't need to be “physical”

Random flip left-right:



Cutout / Random erasing:



**Random shifts/ crops/
color operations:**



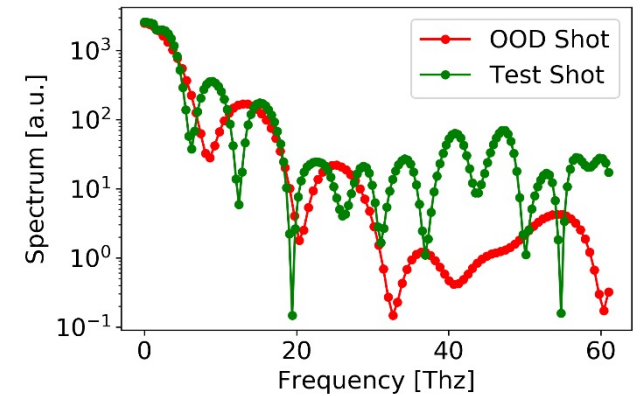
Mixup / Pairing images:

$$\tilde{x} = \lambda x_i + (1 - \lambda) x_j$$
$$\tilde{y} = \lambda y_i + (1 - \lambda) y_j$$

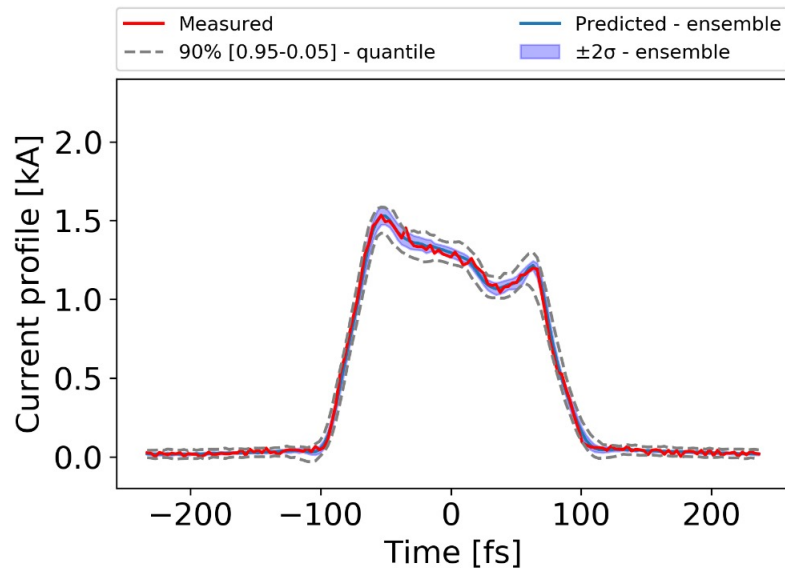


Out-of-Distribution (OOD) Robustness

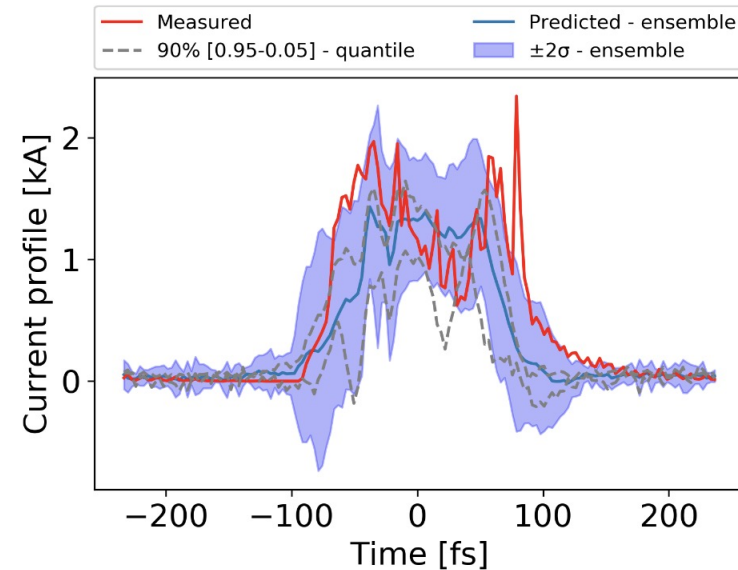
- Given OOD inputs (e.g. using the same machine in a different operation mode), it is necessary to understand how robust the ML model is and how well it generalizes on unfamiliar data.



Test shot within the trained distribution



Out-of-distribution



Out-of-Distribution \rightarrow Higher Uncertainty



Other learning tasks

- Other supervised learning settings:
 - Multi-class or Multi-label.
 - Semi-supervised: make use of labeled and un-labeled data.
- Incremental learning – learns one instance at a time.
- Active learning - learning algorithm interactively query the system to get new data points.
- Transfer learning - model developed for a task is reused as the starting point for a model on a second task



Key points

- **Data** integration, selection, cleaning and pre-processing (normalization, outliers).
- **Models** – favor simple over complex.
- **Interpreting results** - avoid GIGO, uncertainty, robustness.



Thank you for your attention!

Questions?

